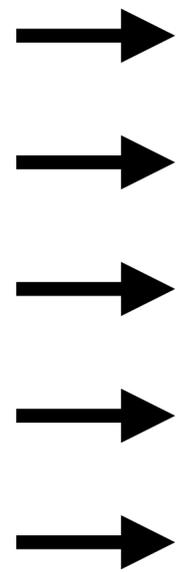




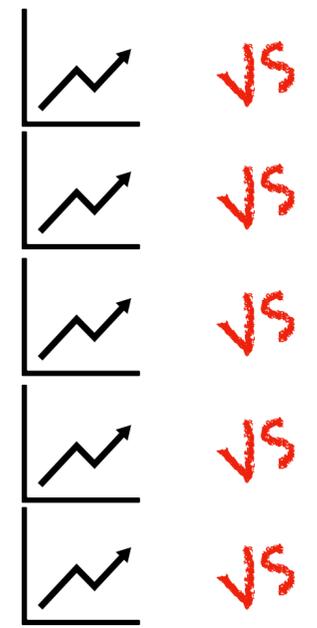
# Self-Supervised Fine-Tuning

Input:

- CS165
- is
- an
- awesome
- class



Decode:



Label:

- is
- an
- awesome
- class
- EOS



loss function

Likelihood

$$\begin{aligned}
 & p(\text{is, an, } \dots, \text{EOS}) \\
 &= p(x_1, x_2, \dots, x_N) \\
 &= \prod_{i=1}^N p(x_i \mid x_1, \dots, x_{i-1})
 \end{aligned}$$

Cross-Entropy

$$\mathcal{L} = -\frac{1}{N} \sum_{i=1}^N \log p(x_i)$$

Perplexity

$$e^{\mathcal{L}} = \exp \left( -\frac{1}{N} \sum_{i=1}^N \log p(x_i) \right)$$

pre-training

Supervised Learning

Reinforcement Learning

Objective ?

distance  
minimization

reward  
maximization

Learning Paradigms

Labels from...

Reward from...

internal  
structure of  
data

external  
annotations

environment

human  
preferences



Self-Supervised  
Fine-Tuning

Supervised  
Fine-Tuning  
(SFT)

Reinforcement  
Fine-Tuning  
(RFT)

Reinforcement Learning  
with Human Feedback  
(RLHF)

pre-training

Supervised Learning

Reinforcement Learning

Objective ?

distance  
minimization

Learning Paradigms

reward  
maximization

Labels from...

Reward from...

internal  
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data

external  
annotations

environment

human  
preferences

Self-Supervised  
Fine-Tuning

vs

Supervised  
Fine-Tuning  
(SFT)

Reinforcement  
Fine-Tuning  
(RFT)

Reinforcement Learning  
with Human Feedback  
(RLHF)

post-training

Self-Supervised  
Fine-Tuning

VS

Supervised  
Fine-Tuning  
(SFT)

Decoder Architecture

Causal Language Modeling

(predict next token left→right)

Input:

CS165

is

an

awesome

class

Label:

is

an

awesome

class

EOS

Games

Math

Data

Code

JSON

Cross-Entropy

Perplexity

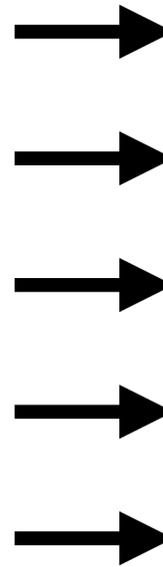
$$\mathcal{L} = -\frac{1}{N} \sum_{i=1}^N \log p(x_i)$$

$$e^{\mathcal{L}} = \exp \left( -\frac{1}{N} \sum_{i=1}^N \log p(x_i) \right)$$

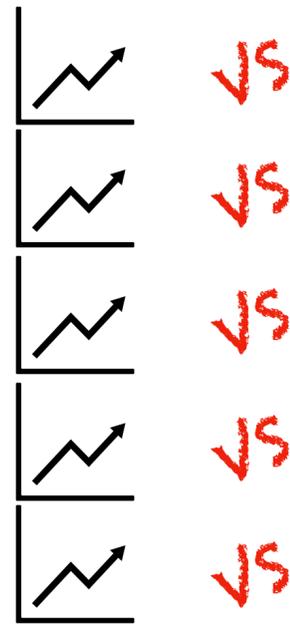
post-training

Input:

CS165  
is  
an  
awesome  
class



Decode:



Label:

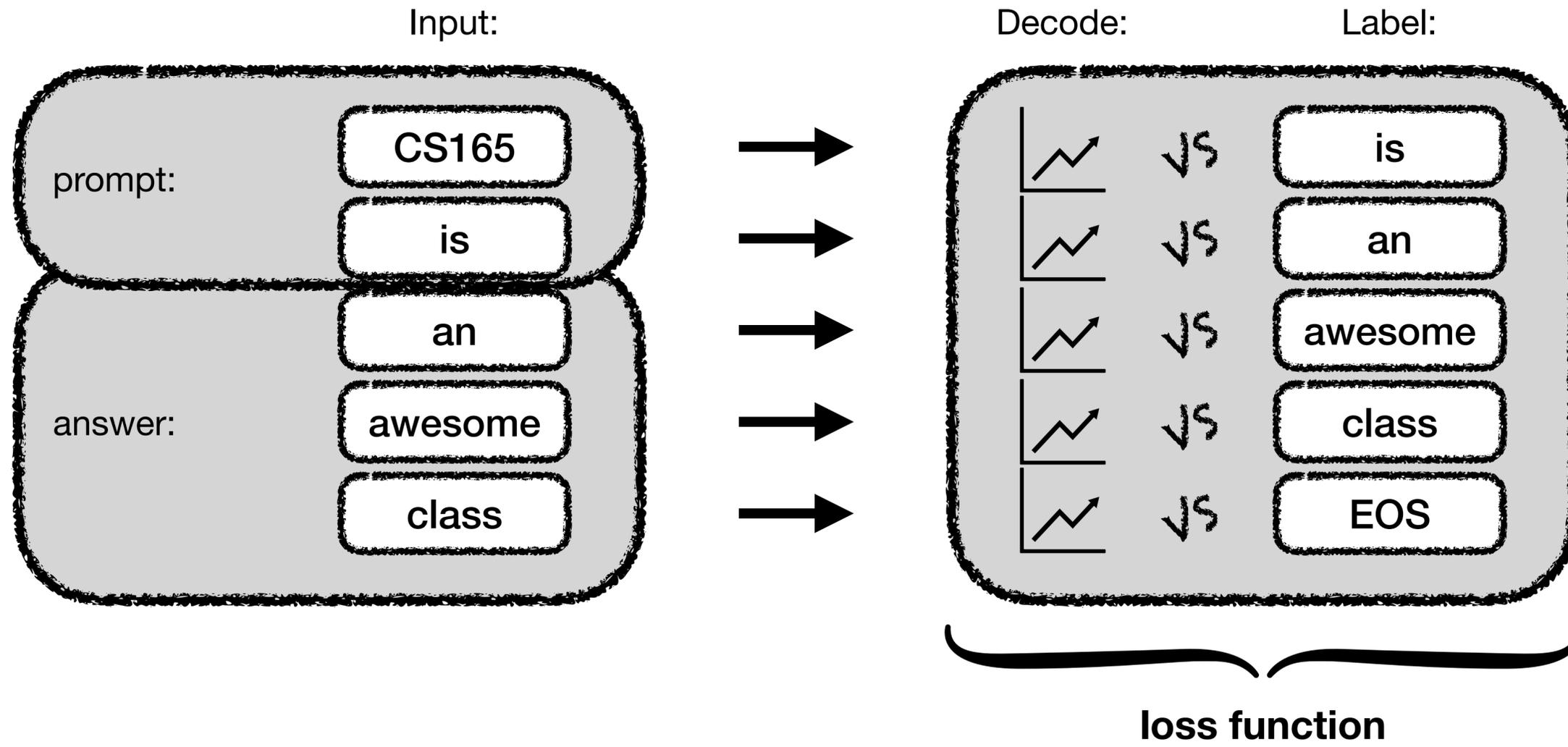
is  
an  
awesome  
class  
EOS



loss function

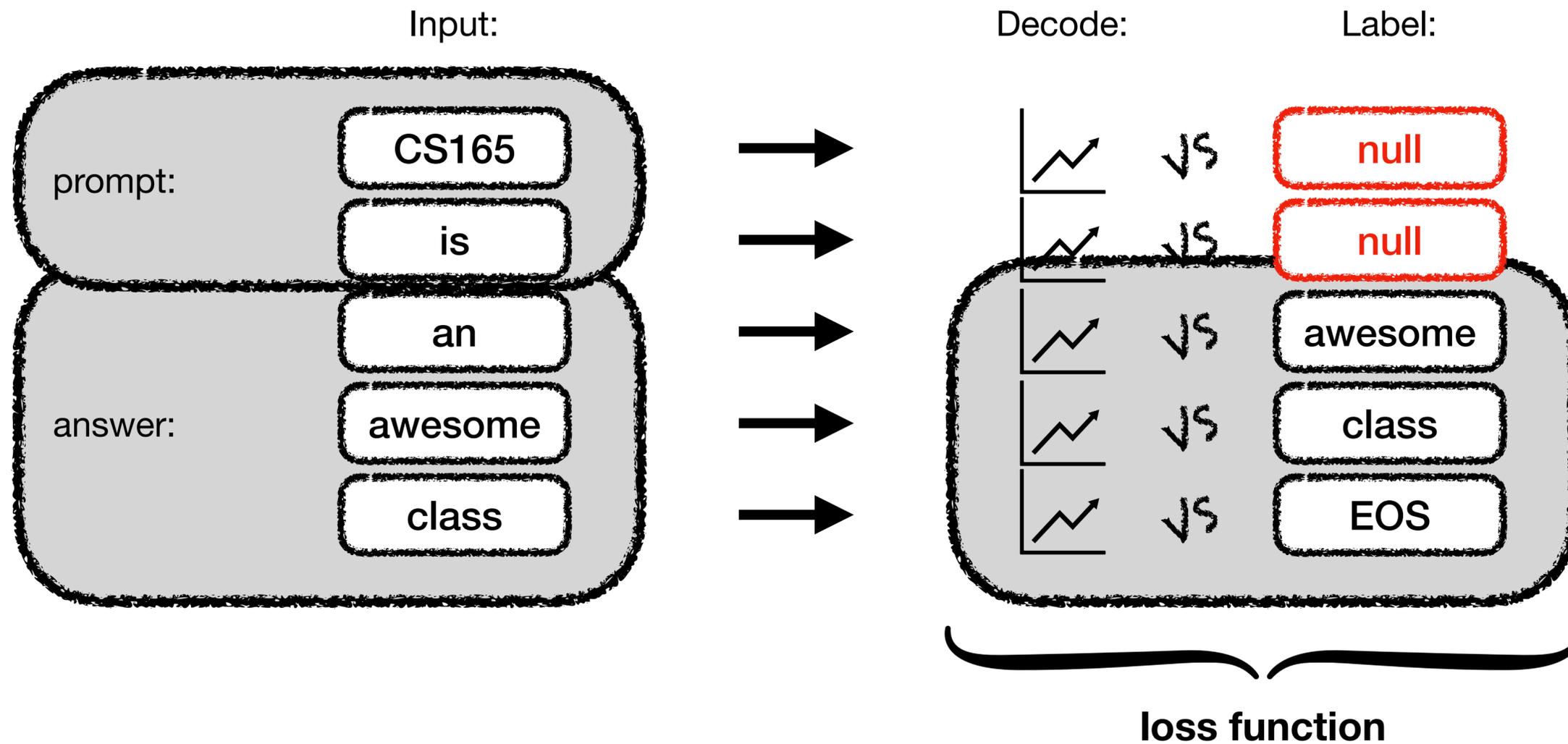
post-training

# Instruction Tuning



post-training

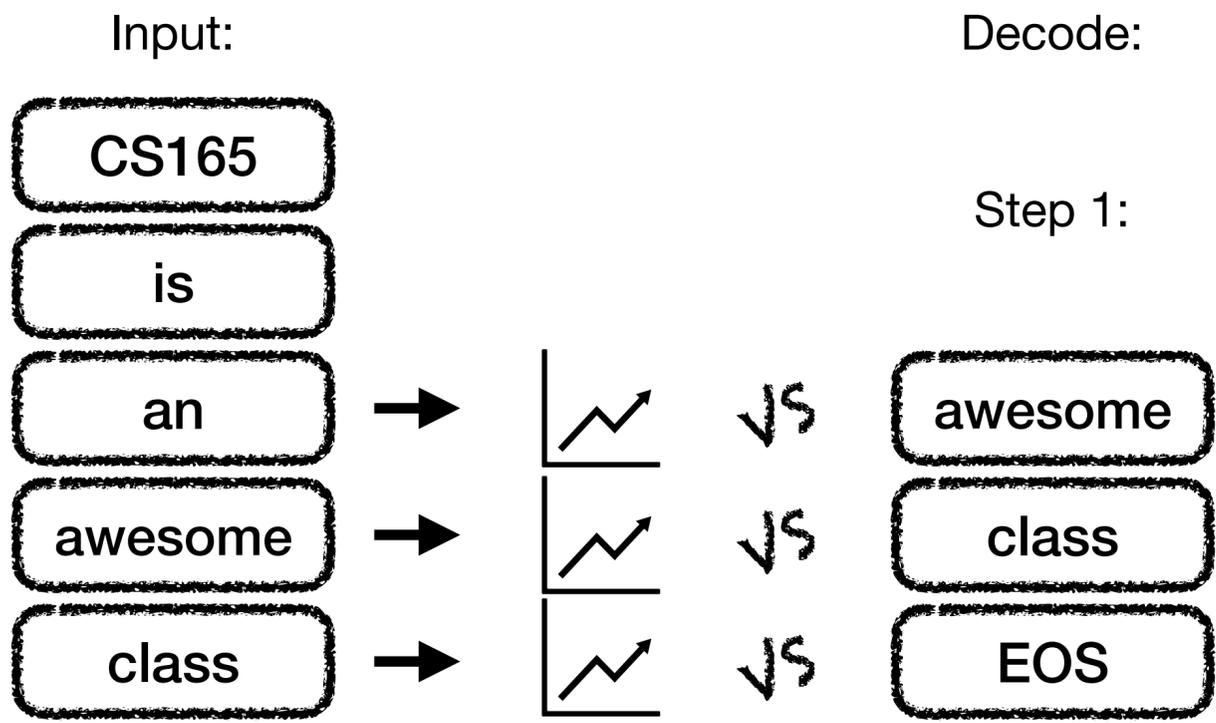
# Instruction Tuning



post-training

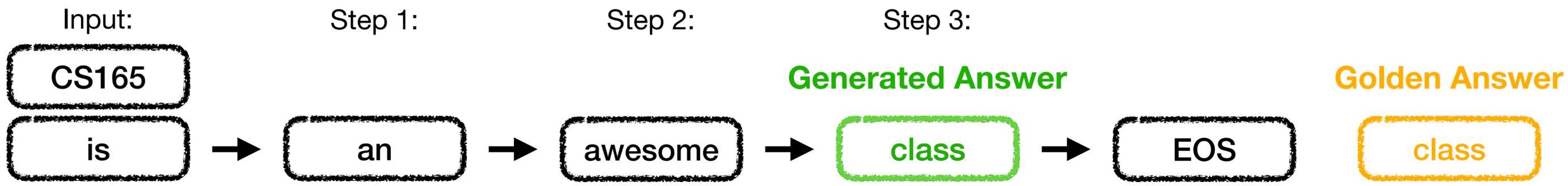
# Instruction Tuning Evaluation

## Perplexity



loss function

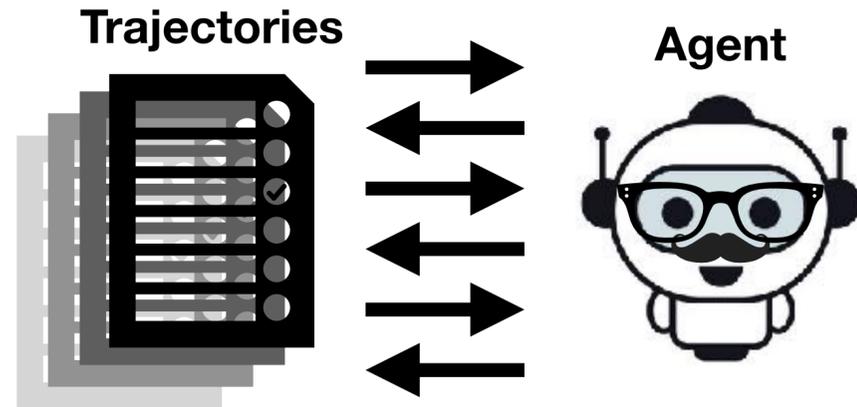
## Accuracy



post-training

# Supervised Learning

Training



How to Train  
your... AGENT!

## Trajectory

A vertical list of seven horizontal bars, each with a circular checkbox on the right. The third bar from the top has a checkmark inside its checkbox, indicating it is the current step in the trajectory.

**User:** Find the population of Tokyo and compare it to New York City.

**Thought:** I should search for the current population of Tokyo first.

**Action:** search("population of Tokyo 2024")

**Observation:** Tokyo metropolitan area population is approximately 37.4 million.

**Thought:** Now I need the population of New York City.

**Action:** search("population of New York City 2024")

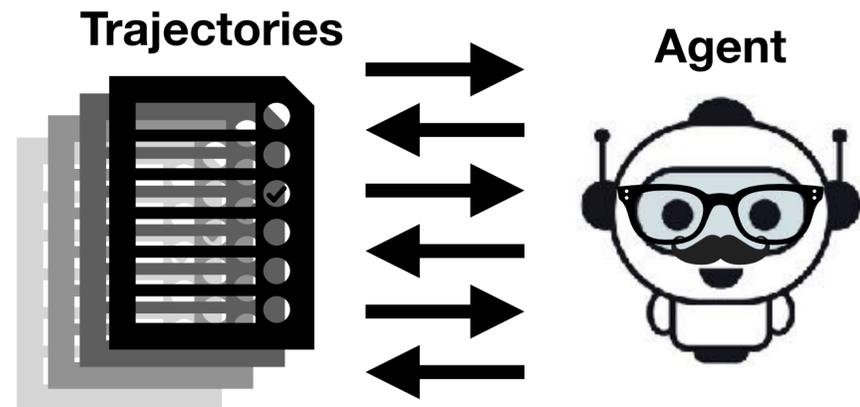
**Observation:** New York City population is approximately 8.3 million.

**Thought:** I have both numbers. I can now compute the comparison.

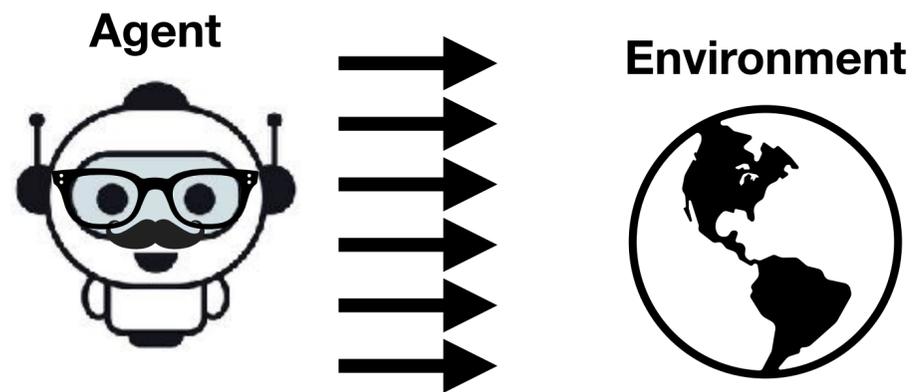
**Final Answer:** Tokyo (37.4M) is approximately 4.5 times larger than New York City (8.3M).

## Supervised Learning

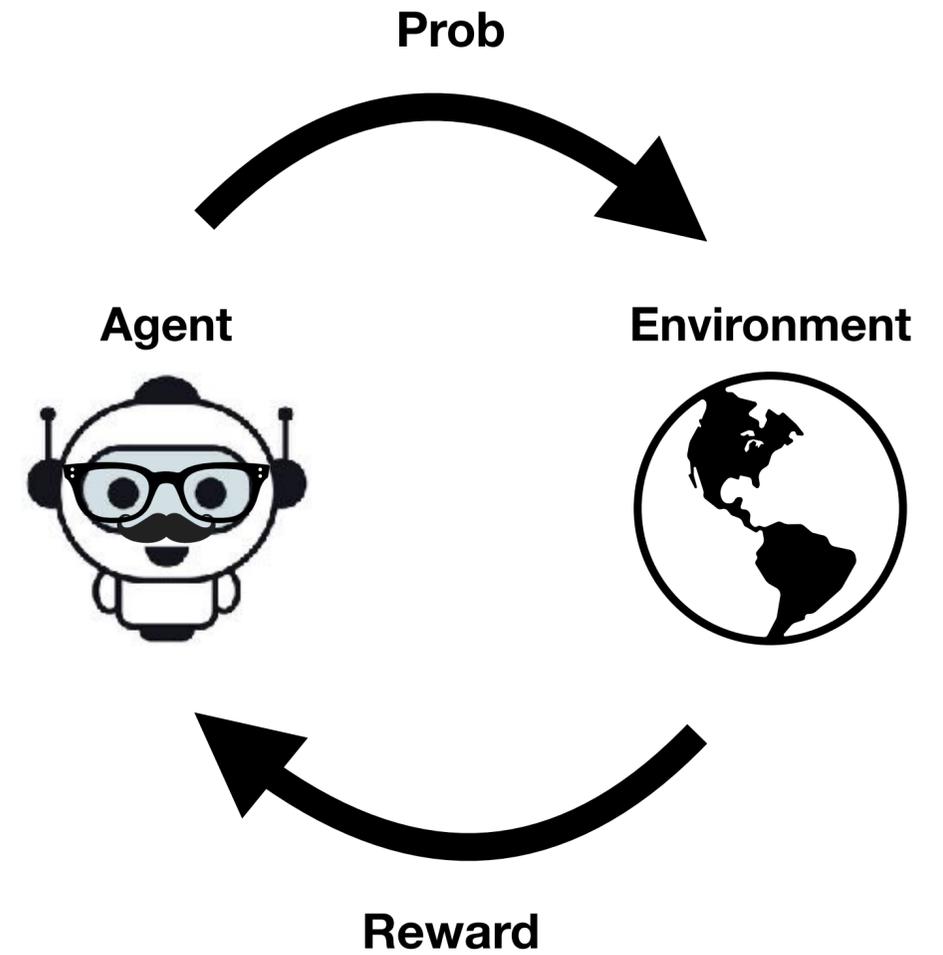
Training



Evaluation



## Reinforcement Learning



How to Train  
your... AGENT!

# 1. Quality Assessment of Agent Fine-Tuning Benchmarks

---

## PROBLEM

Agent fine-tuning rests on benchmarks the quality of which has not been systematically assessed

*If the scores cannot be trusted — the conclusions built on top of them cannot be trusted either*

# 1. Quality Assessment of Agent Fine-Tuning Benchmarks

---

## SOLUTION

Build a unified quality framework to characterize what agent benchmarks actually measure

*Propose new benchmarks to fill in the gaps*

# Benchmark Difficulty Curve

Each bar is a bucket of tasks. Height = number of tasks in that bucket. X-axis = empirical difficulty (fraction of model-run pairs that fail the task). Shape reveals whether a benchmark discriminates capability.

## Smooth unimodal spread

GOOD



- **Tasks span the full range.** Every difficulty tier is represented — easy, medium, hard.
- **Score differences are meaningful.** A better model shifts the boundary rightward; you can detect that.
- **Good for both SFT and RL.** Mid-range tasks provide demonstrations and reward signal.

## Bimodal / U-shaped

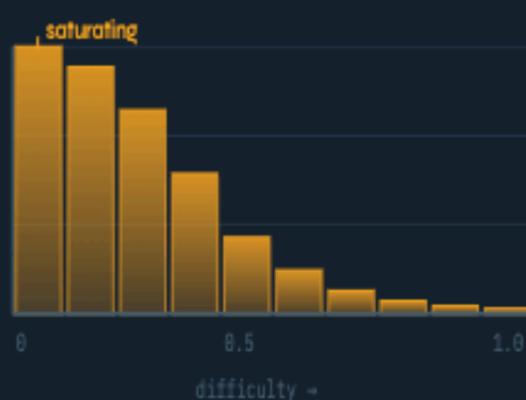
BAD



- **Measures one threshold, not a range.** Tasks are trivial or impossible — nothing in between.
- **Training improvements are invisible.** A better model still fails the hard tasks and already solved the easy ones.
- **RL gets no gradient signal.** Reward variance near zero in both tails — nothing to optimize against.

## Left-skewed — too easy

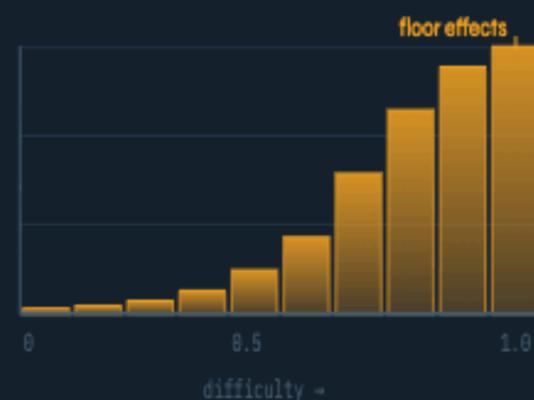
BAD



- **Scores cluster near the ceiling.** Most models solve most tasks — no room to improve. AgentGym shows this pattern.
- **Cannot distinguish strong models.** A fine-tuned model looks roughly the same as the baseline.
- **SFT overfits to easy patterns.** Training on these tasks doesn't generalize; it just memorizes solved trajectories.

## Right-skewed — too hard

BAD



- **Scores cluster near zero.** The benchmark was designed for a capability level the field hasn't reached yet.
- **RL starves.** Successes are too rare for stable reward signal — gradients are noisy and training diverges.
- **SFT has no demonstrations.** If the teacher model also fails, there are no successful trajectories to imitate.

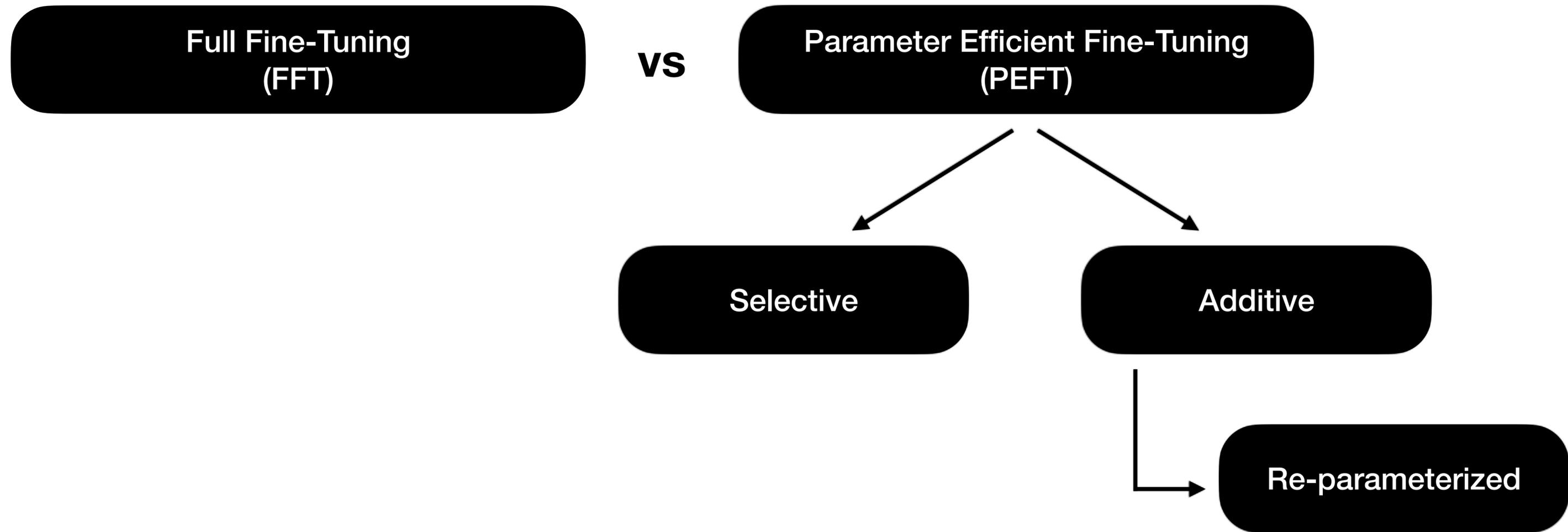
# Weight Update

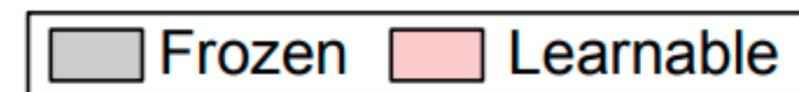
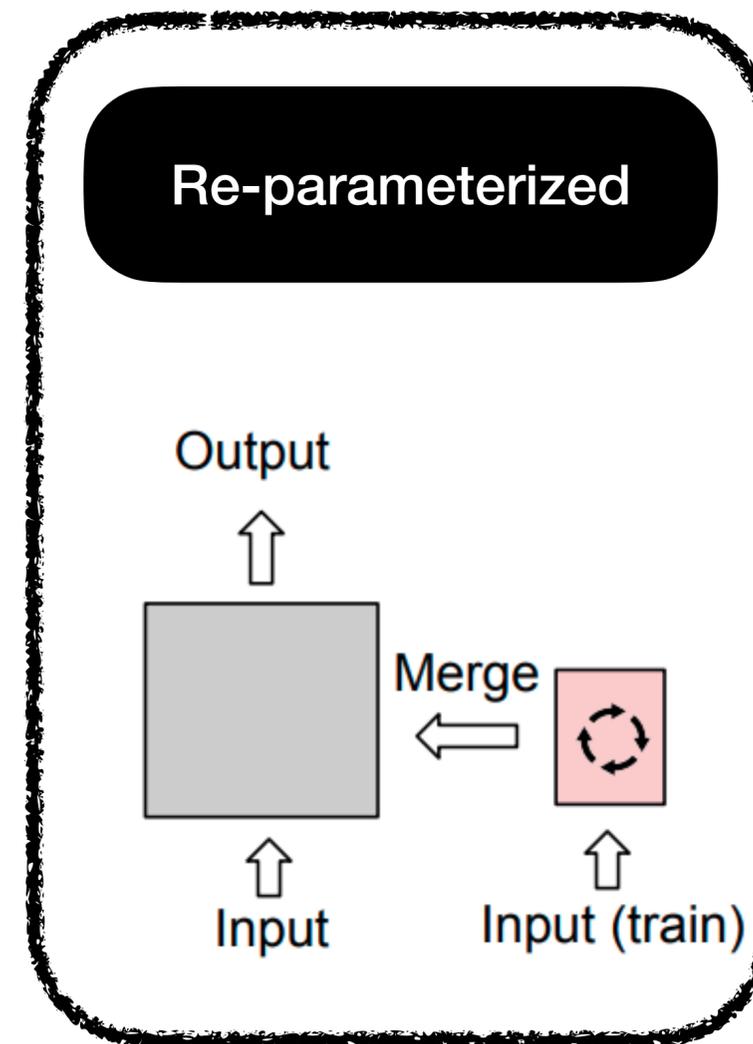
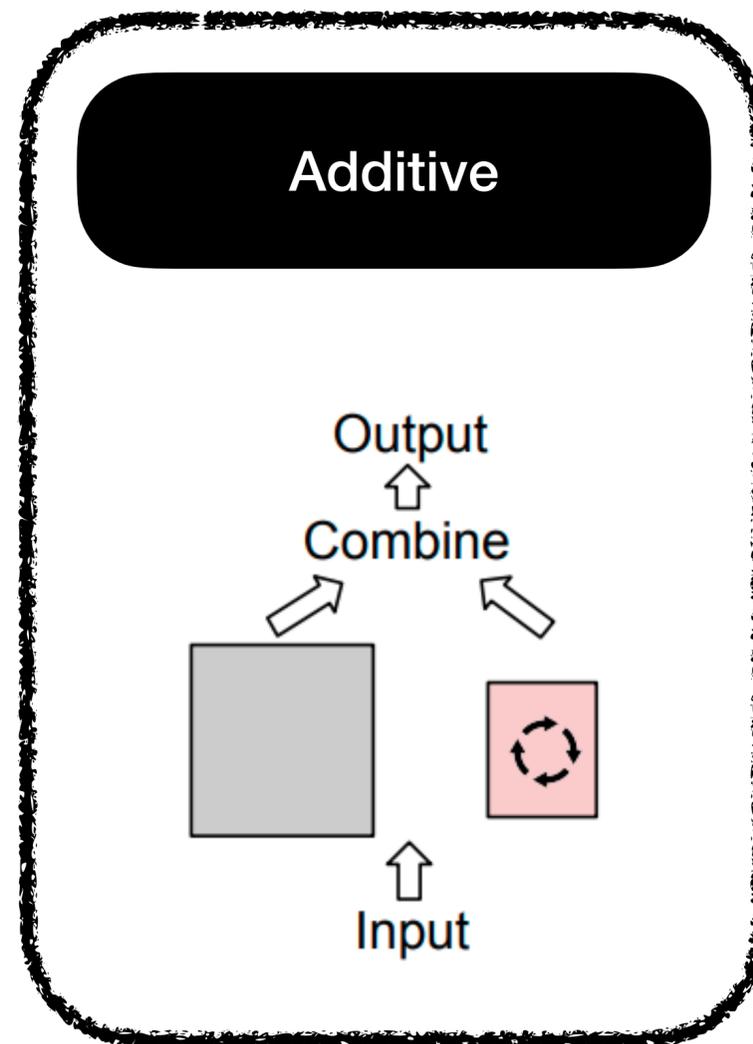
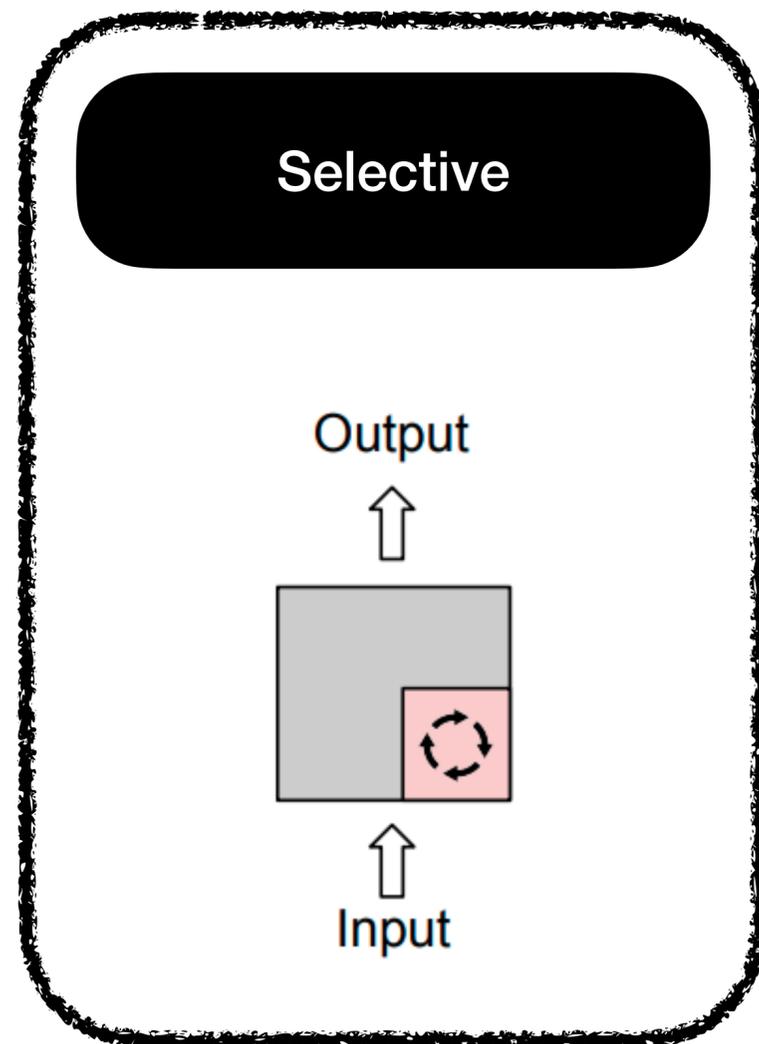
Full Fine-Tuning  
(FFT)

**VS**

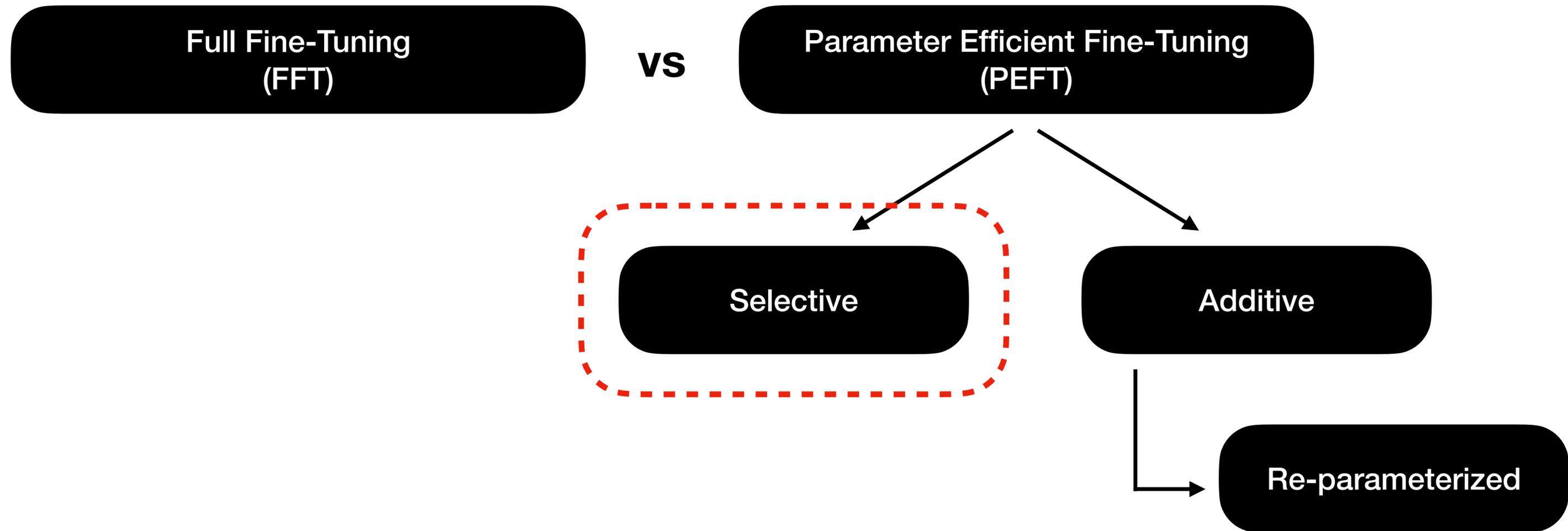
Parameter Efficient Fine-Tuning  
(PEFT)

# PEFT Taxonomy

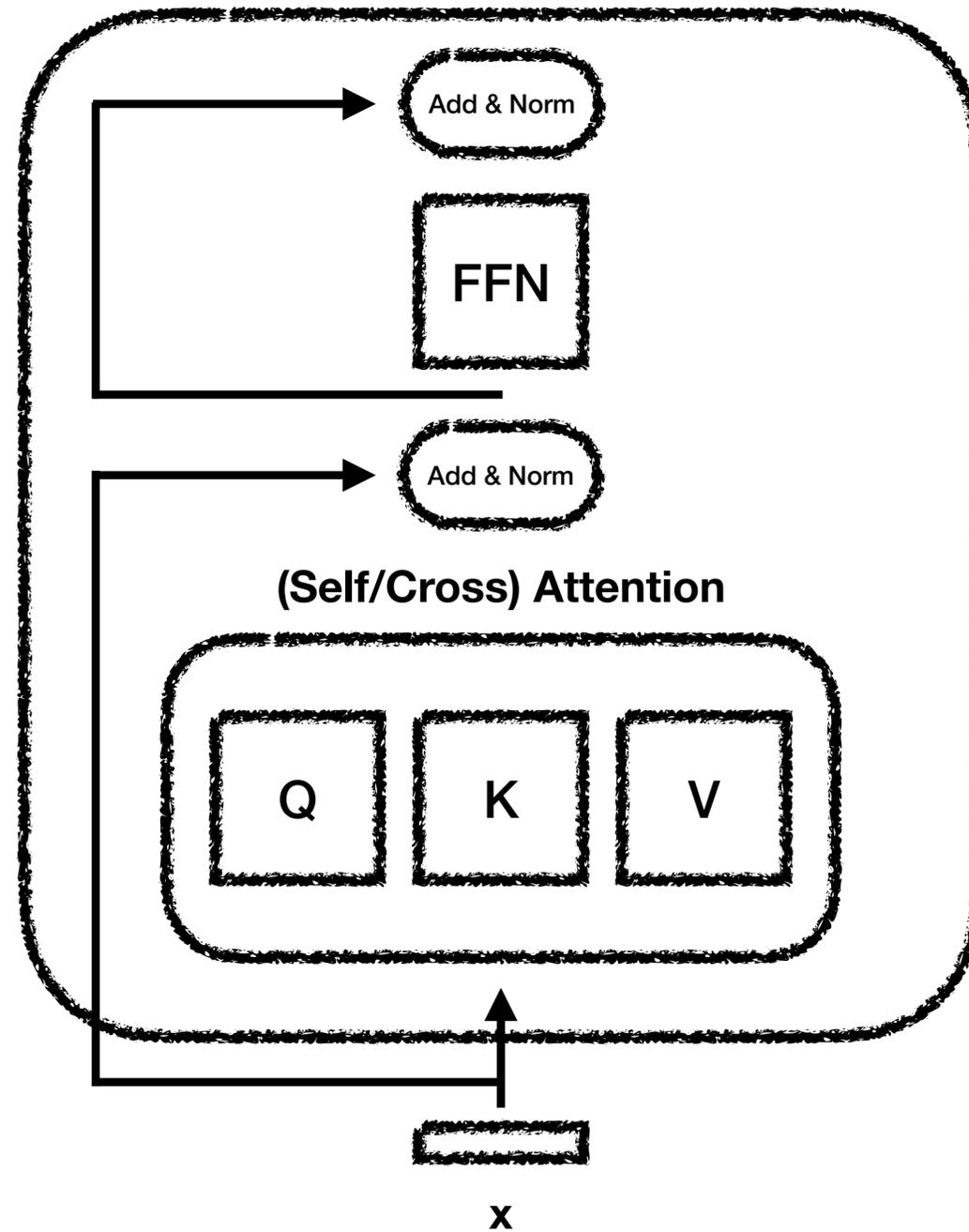




# PEFT Taxonomy



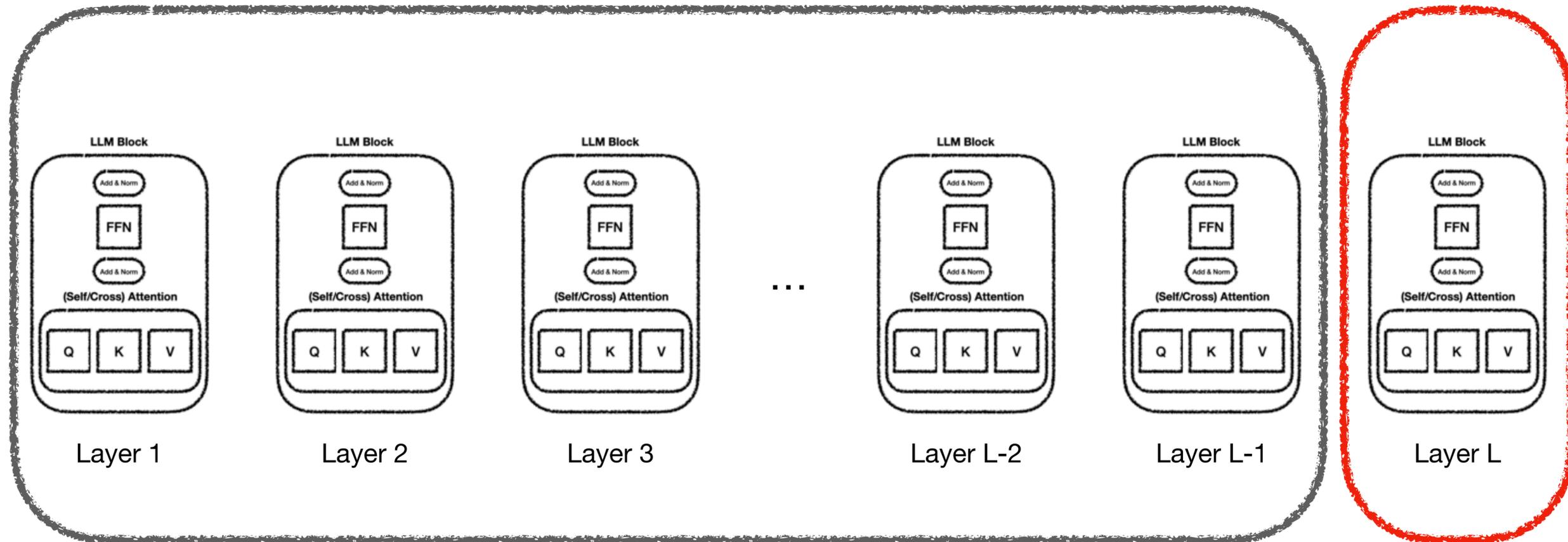
# LLM Block



# Selective PEFT

frozen

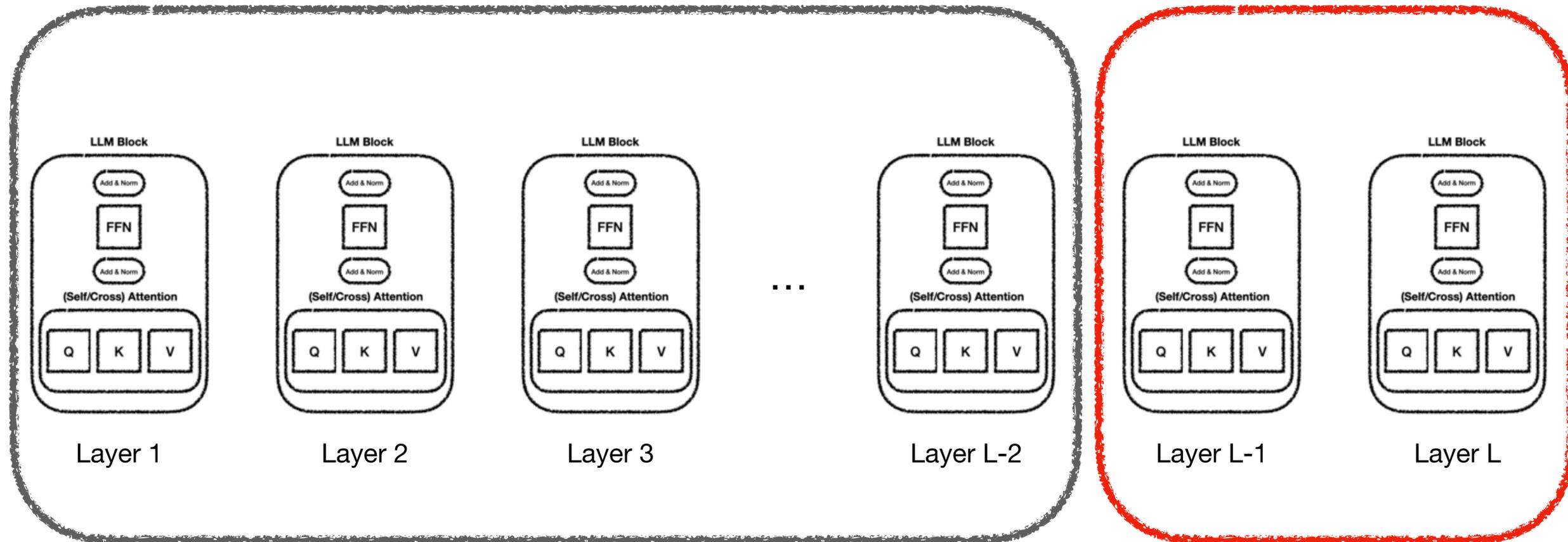
trainable



# Selective PEFT

frozen

trainable



# Selective PEFT

## Two more ideas

### BitFit

(Ben Zaken et al., 2021)

$$\mathbf{Q}^{m,l}(\mathbf{x}) = \mathbf{W}_q^{m,l} \mathbf{x} + \mathbf{b}_q^{m,l}$$

$$\mathbf{K}^{m,l}(\mathbf{x}) = \mathbf{W}_k^{m,l} \mathbf{x} + \mathbf{b}_k^{m,l}$$

$$\mathbf{V}^{m,l}(\mathbf{x}) = \mathbf{W}_v^{m,l} \mathbf{x} + \mathbf{b}_v^{m,l}$$

$$\mathbf{h}_2^l = \text{Dropout}(\mathbf{W}_{m_1}^l \cdot \mathbf{h}_1^l + \mathbf{b}_{m_1}^l)$$

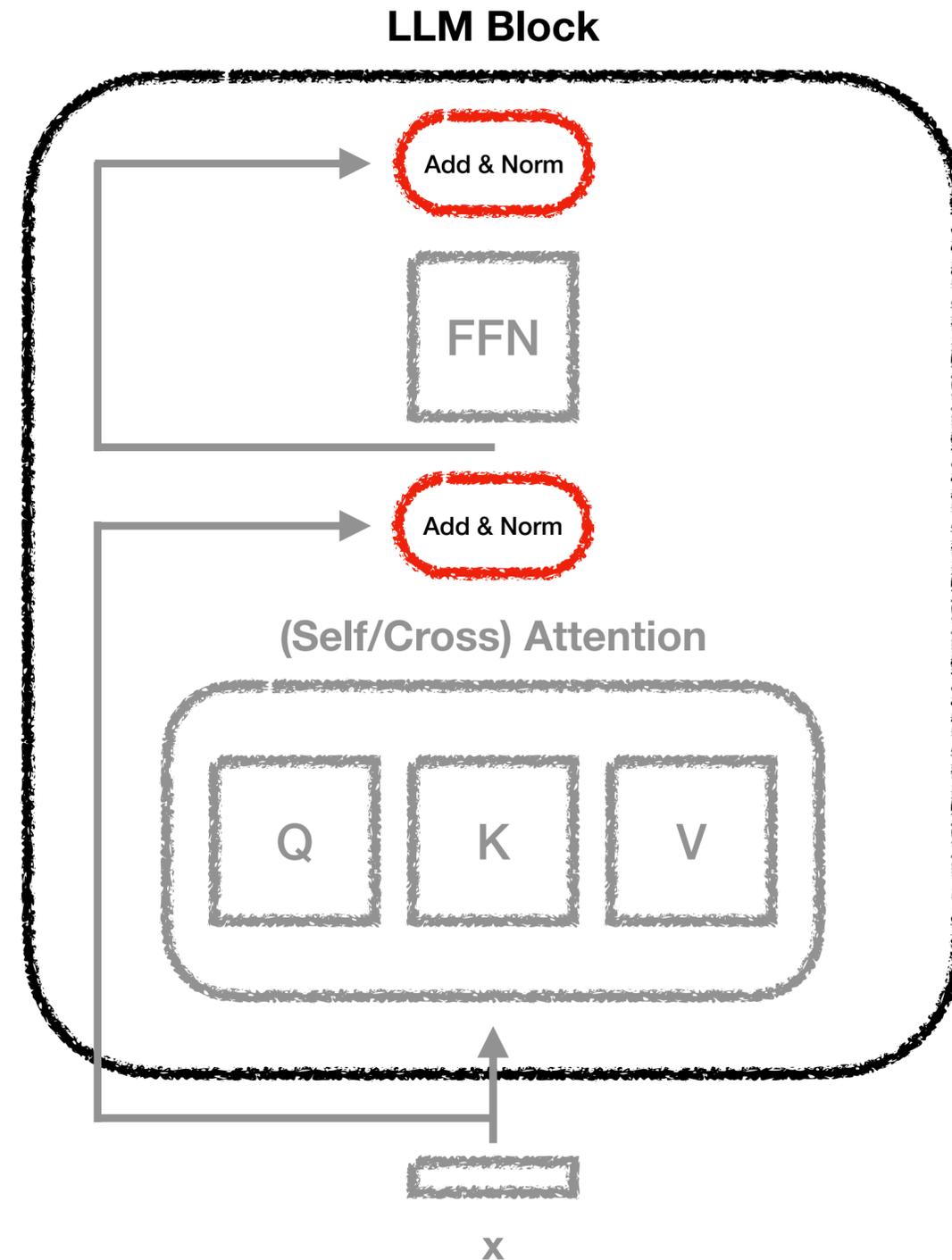
$$\mathbf{h}_3^l = \mathbf{g}_{LN_1}^l \odot \frac{(\mathbf{h}_2^l + \mathbf{x}) - \mu}{\sigma} + \mathbf{b}_{LN_1}^l$$

$$\mathbf{h}_4^l = \text{GELU}(\mathbf{W}_{m_2}^l \cdot \mathbf{h}_3^l + \mathbf{b}_{m_2}^l)$$

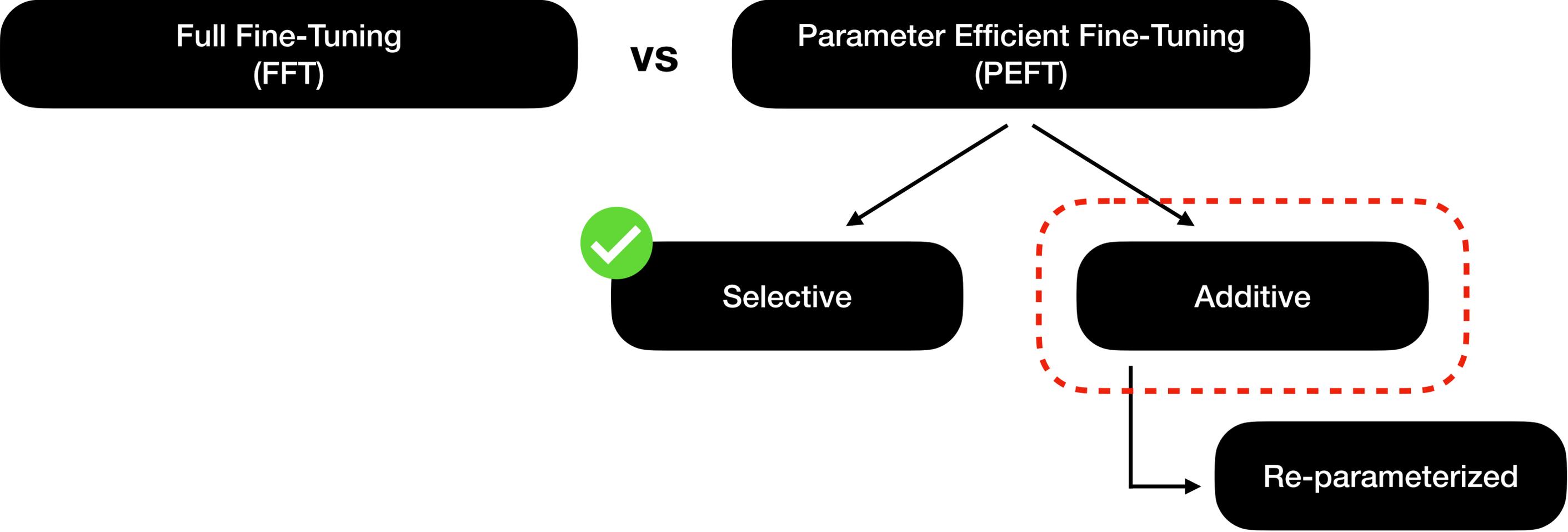
$$\mathbf{h}_5^l = \text{Dropout}(\mathbf{W}_{m_3}^l \cdot \mathbf{h}_4^l + \mathbf{b}_{m_3}^l)$$

$$\text{out}^l = \mathbf{g}_{LN_2}^l \odot \frac{(\mathbf{h}_5^l + \mathbf{h}_3^l) - \mu}{\sigma} + \mathbf{b}_{LN_2}^l$$

### LayerNorm Tuning (Bingchen Zhao et al., 2024, ICLR)

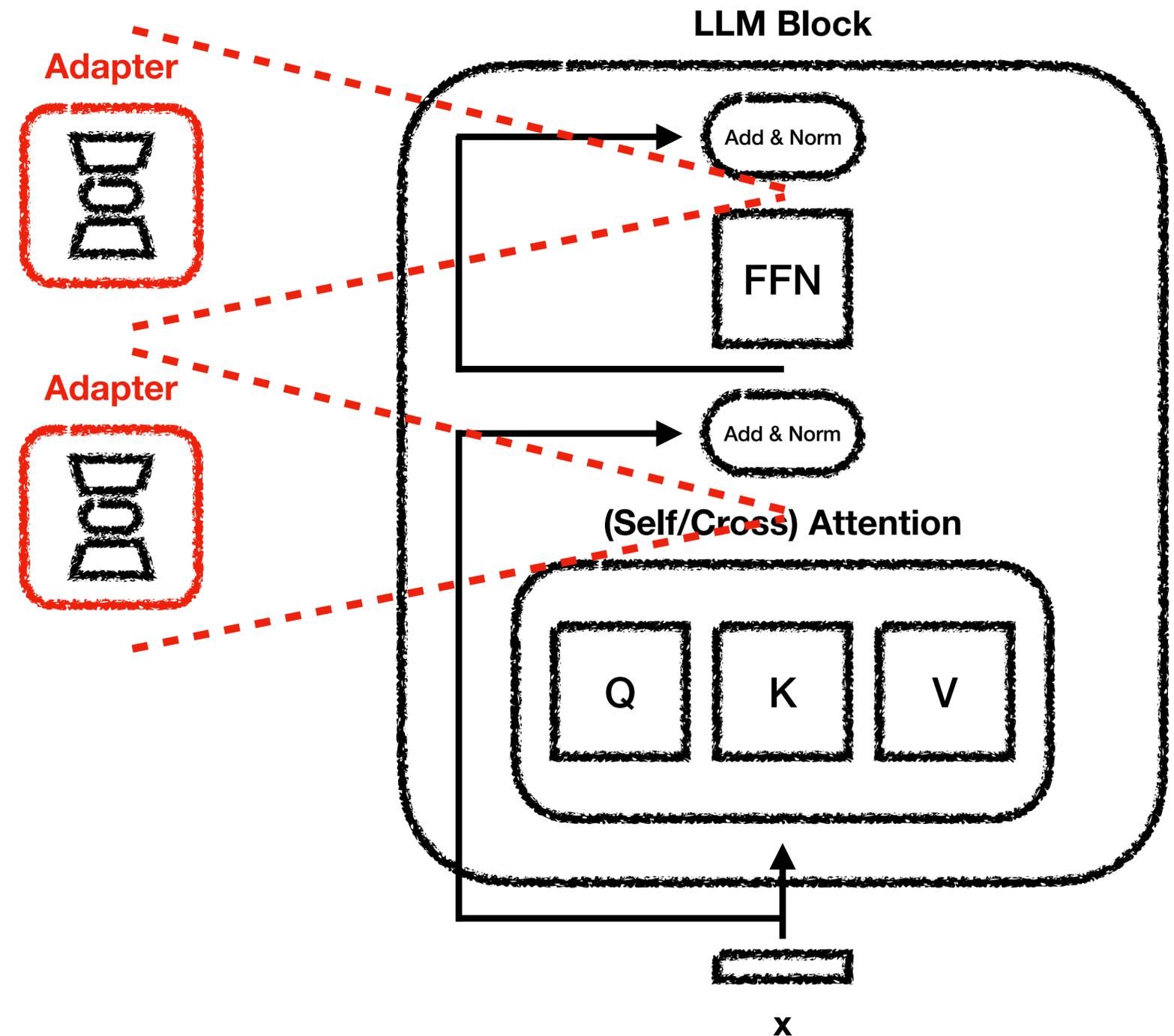


# PEFT Taxonomy



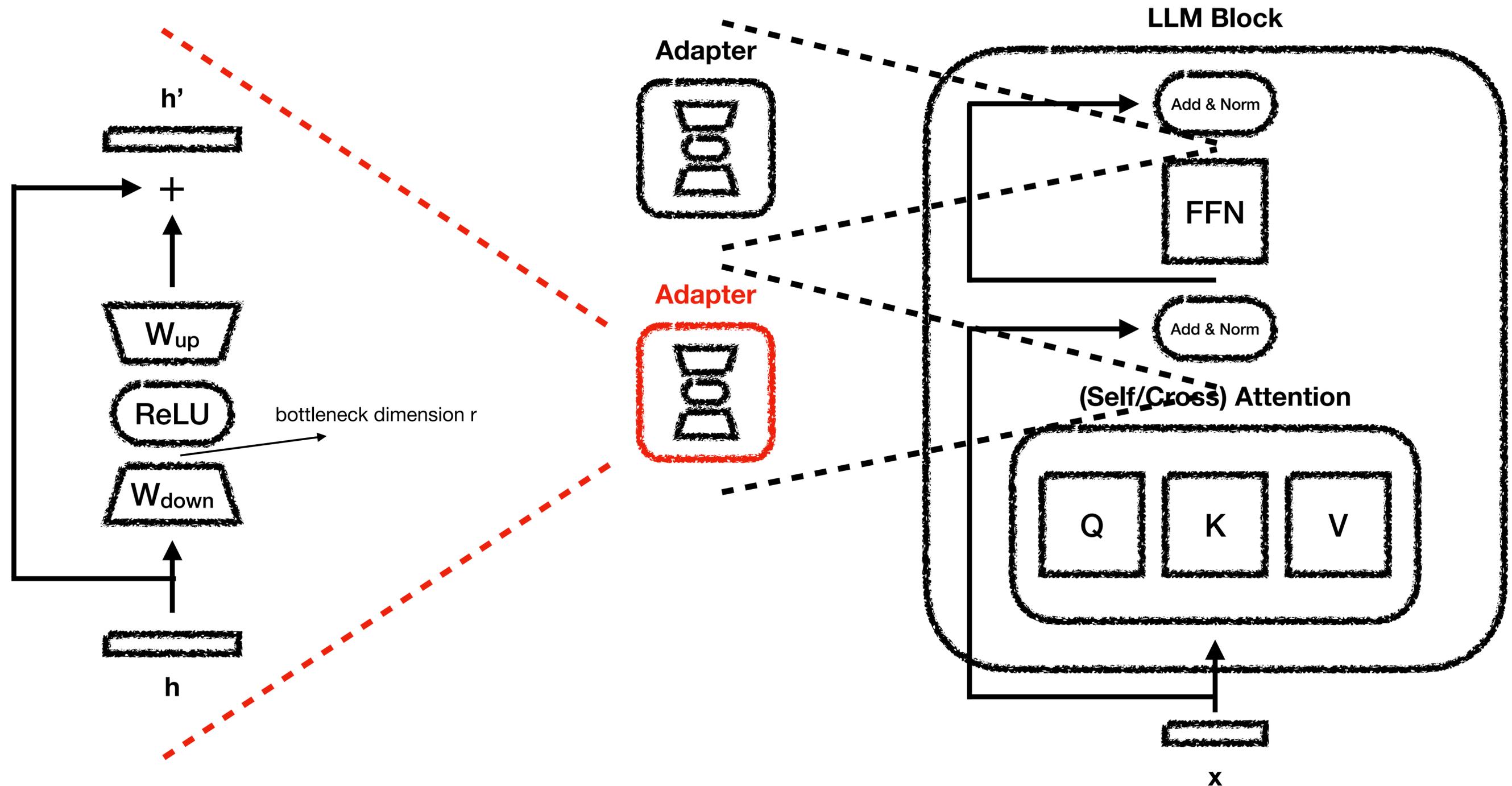
# Additive PEFT

## The Adapter Architecture



# Additive PEFT

## The Adapter Architecture



# Additive PEFT

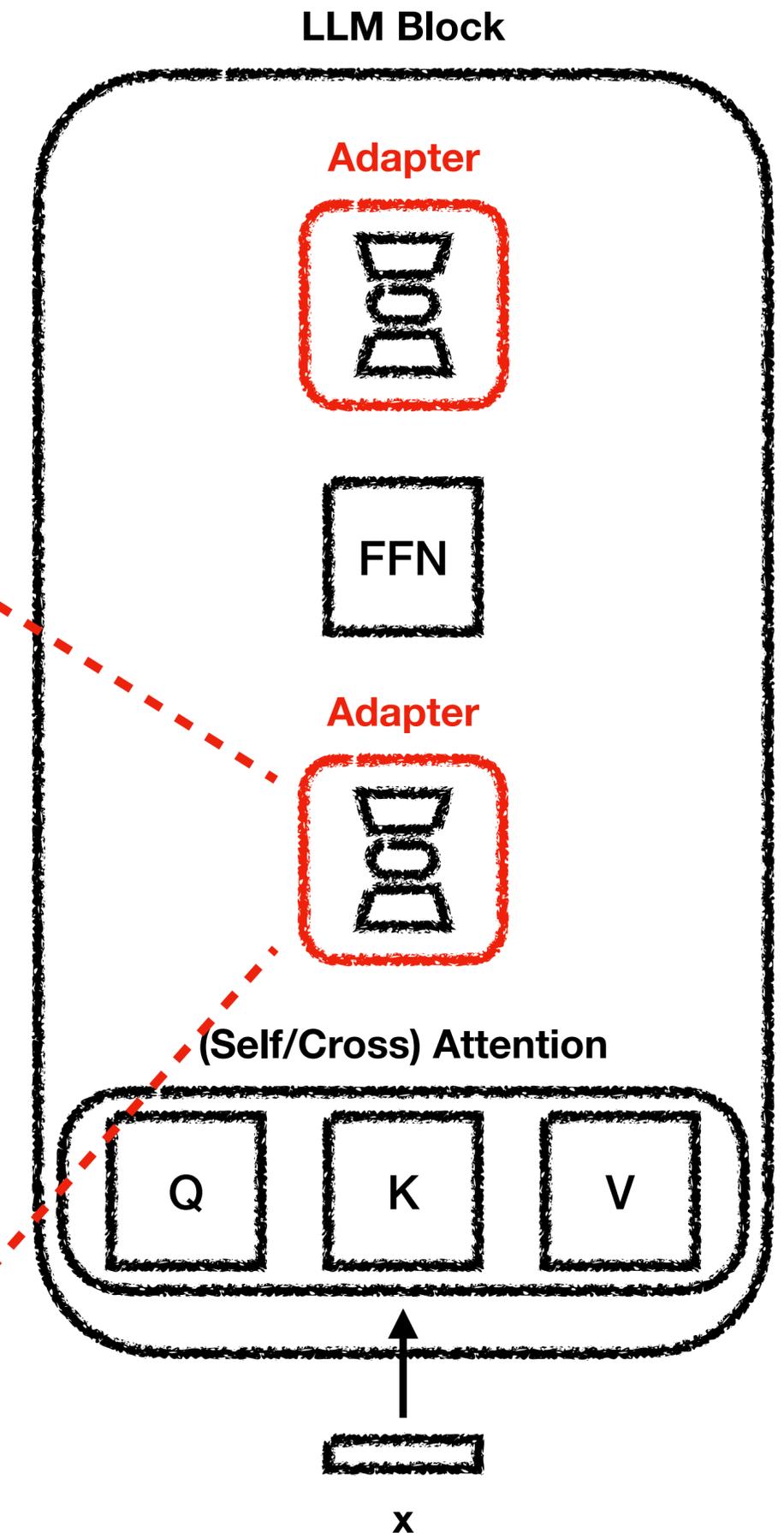
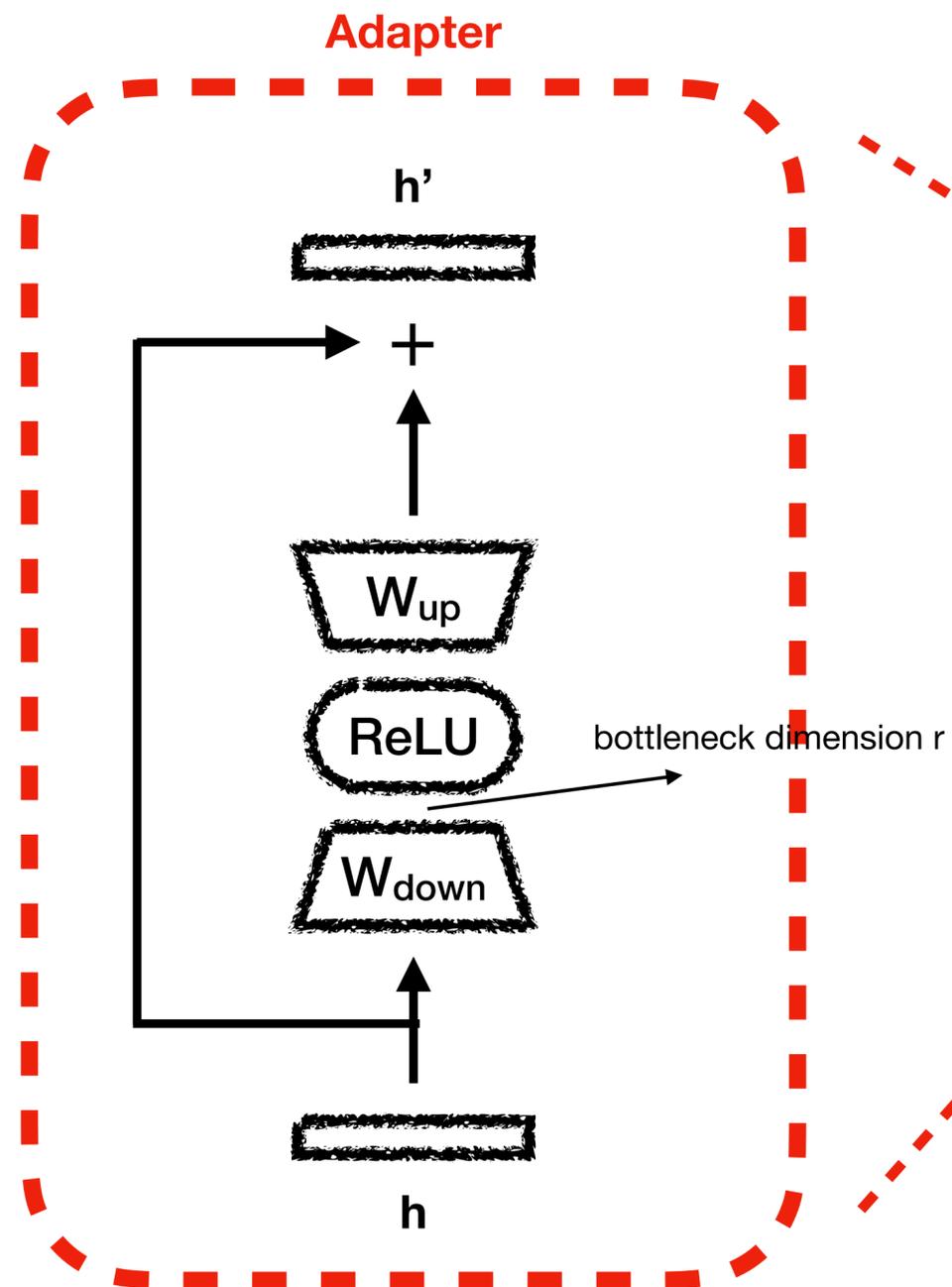
## [Serial] Adapter (Houlsby et al., 2019)

$$h' \leftarrow h + f(hW_{down})W_{up}$$

$$W_{down} \in \mathbb{R}^{d \times r}$$

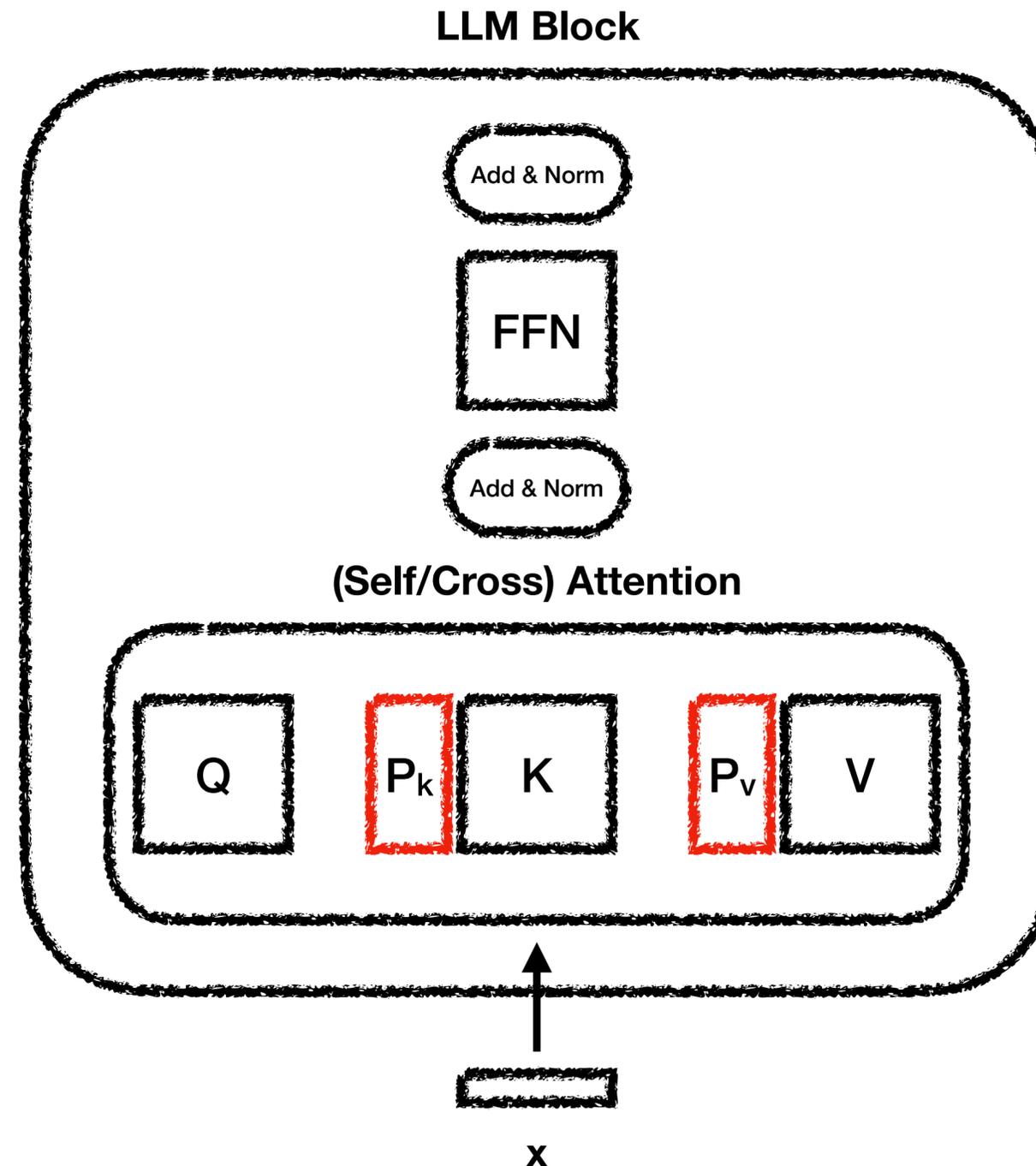
$$W_{up} \in \mathbb{R}^{r \times d}$$

Adapters: small trainable feed-forward networks inserted between the layers in the frozen pre-trained model.



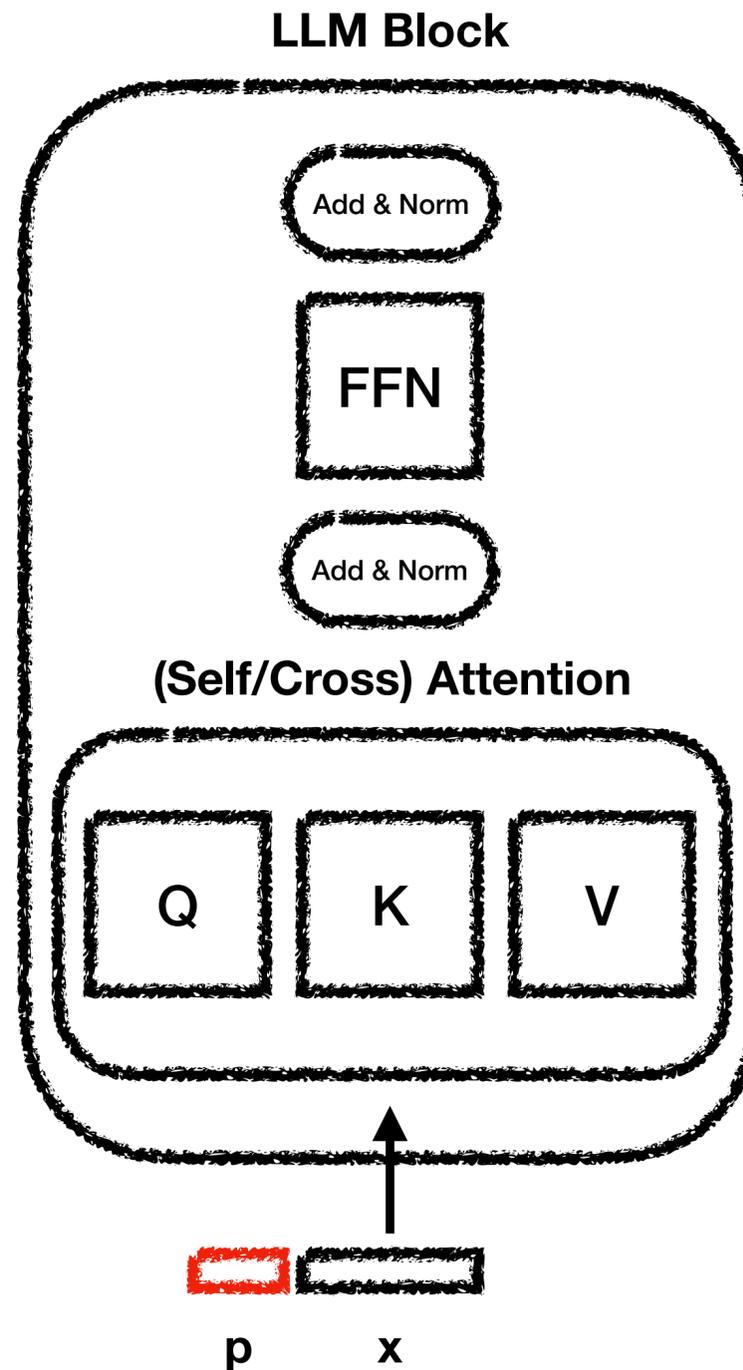
# Additive PEFT

## Prefix Tuning (Li & Liang, 2021)

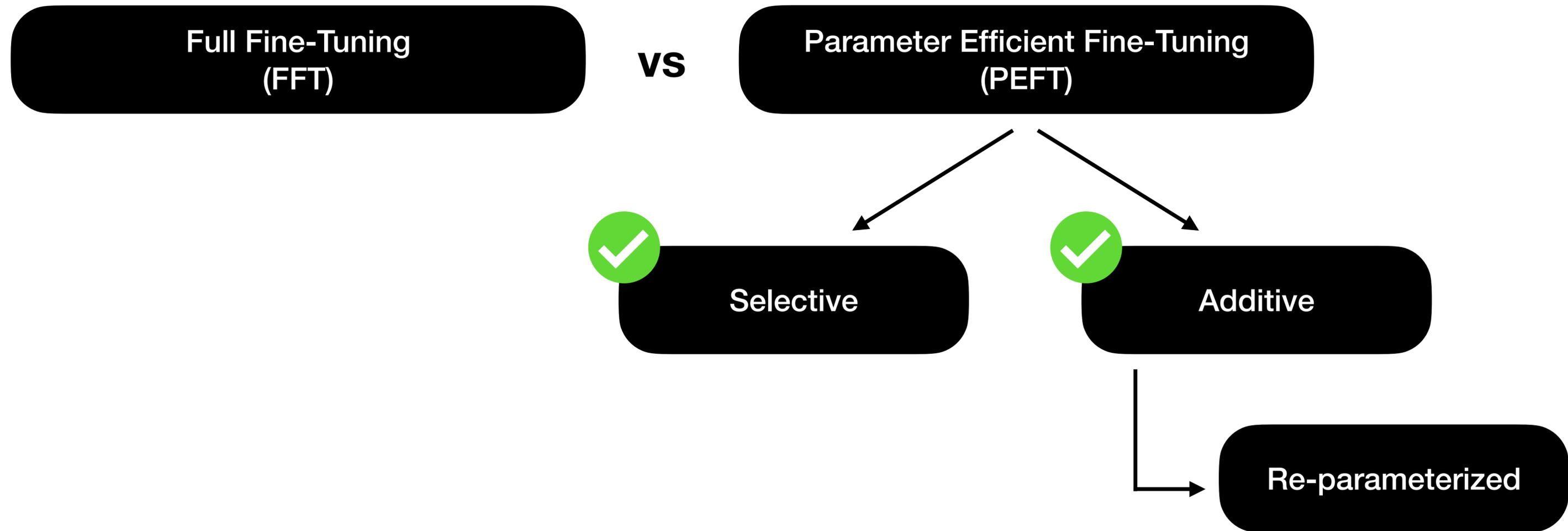


# Additive PEFT

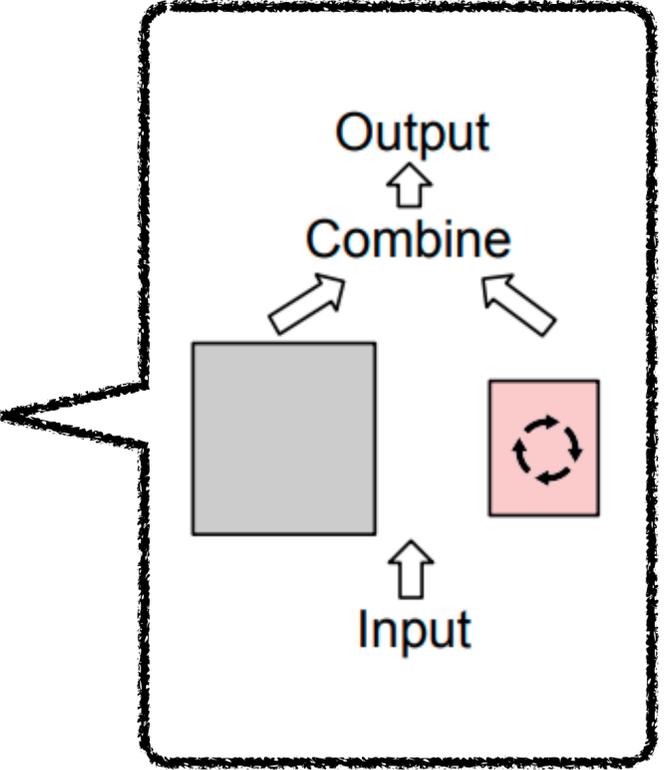
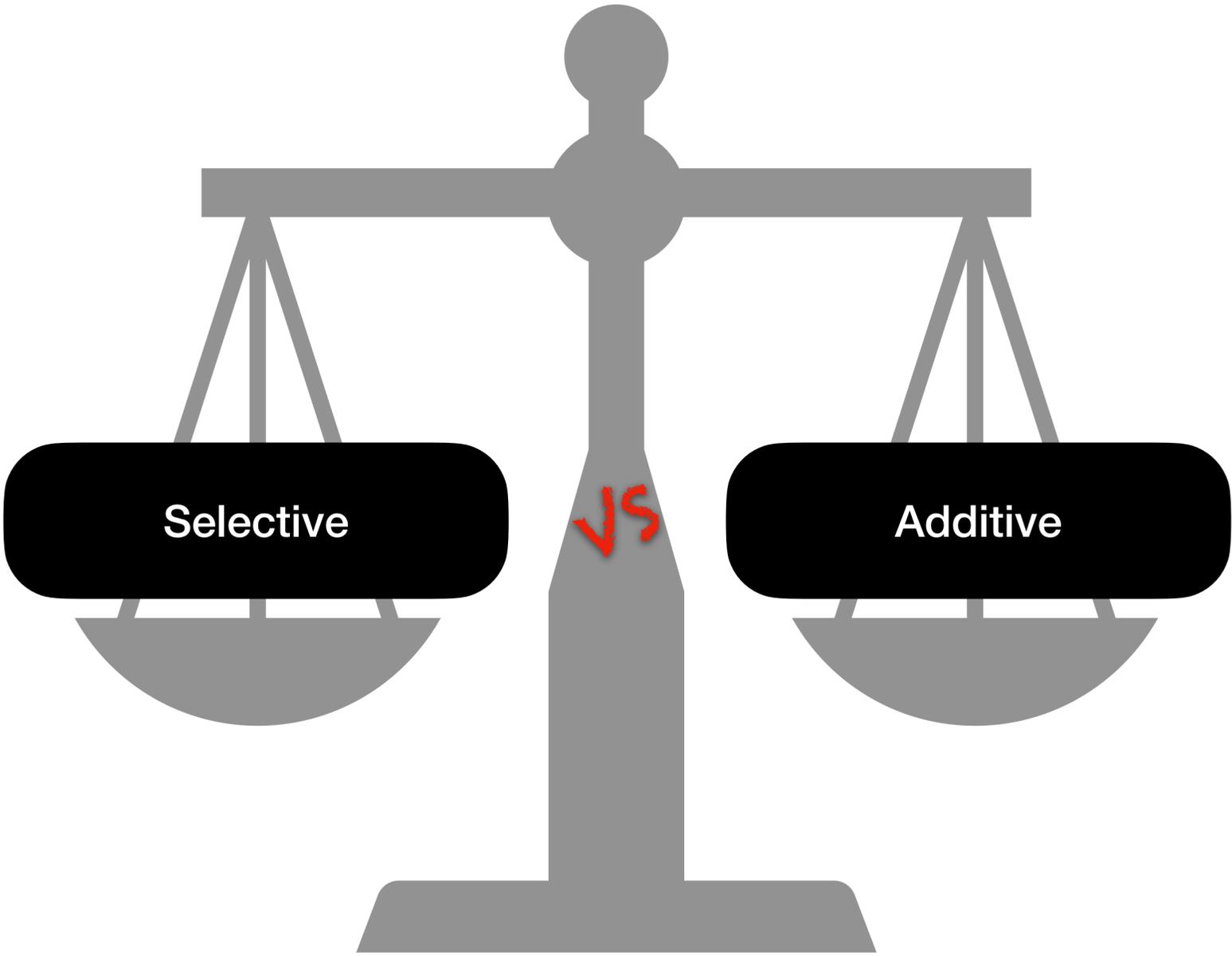
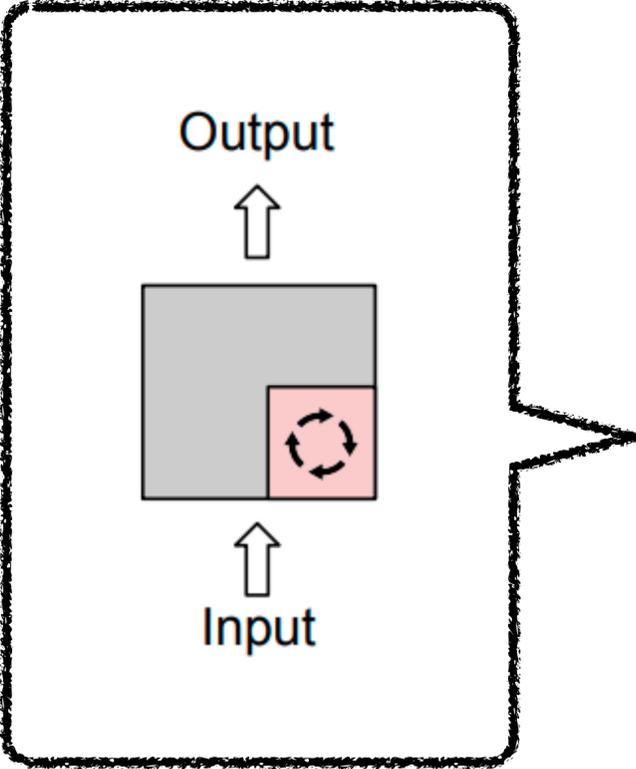
Prompt Tuning (Brian Lester et al., 2021)



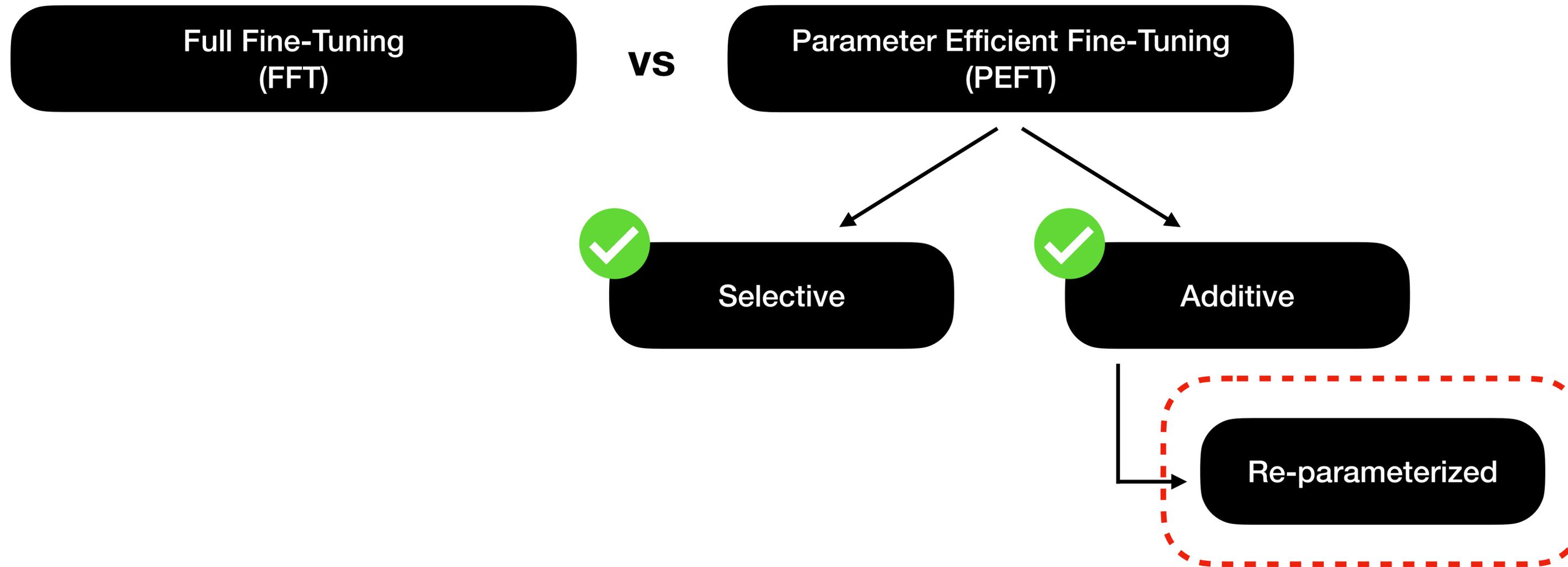
# PEFT Taxonomy



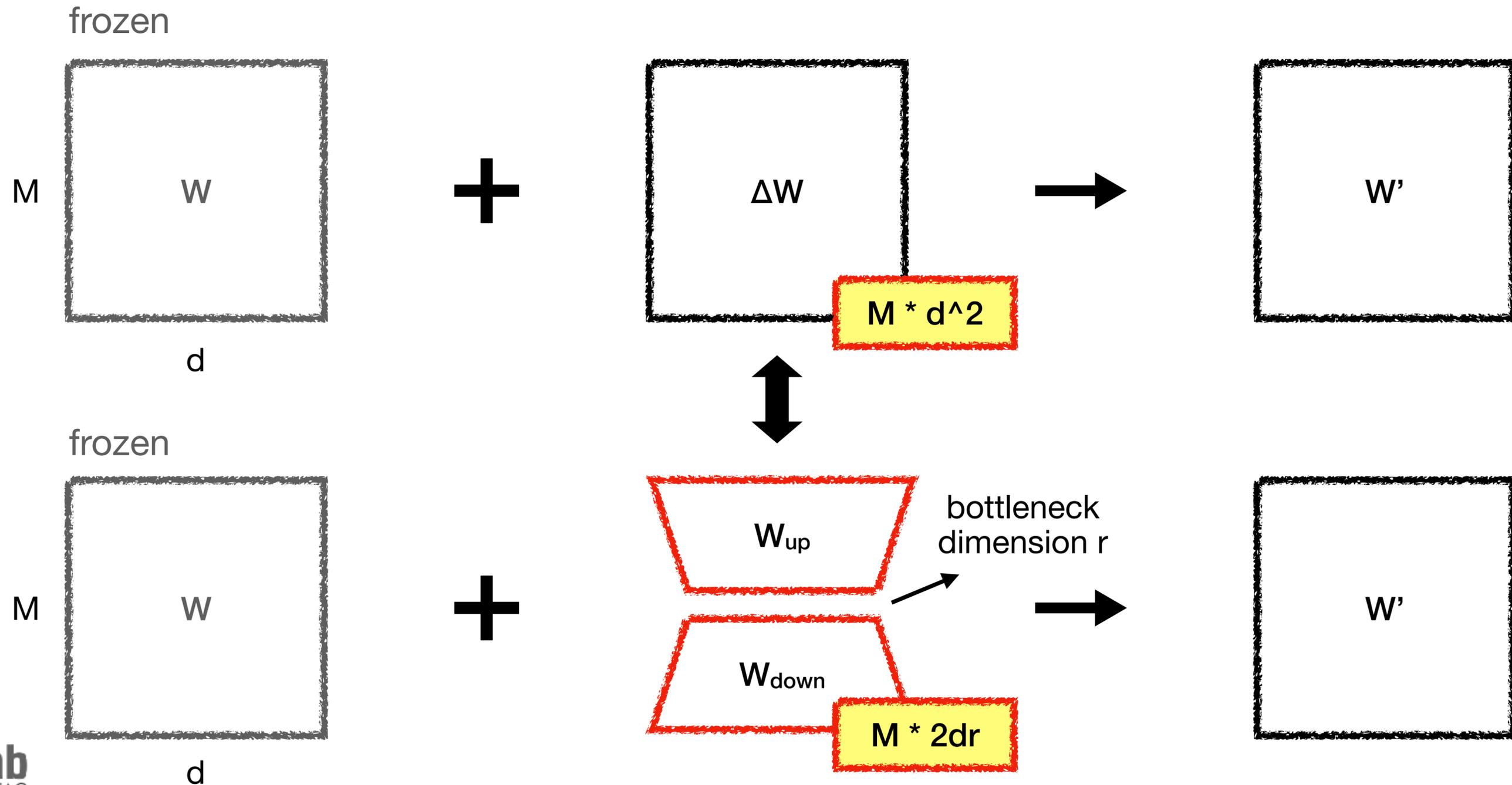
# Which one is better from a systems perspective ?



# PEFT Taxonomy



# Re-parameterized PEFT



# Re-parameterized PEFT

## Low Rank Adaptation (Hu et al., 2021)

$$h \leftarrow xW + \frac{\alpha}{r} \cdot xW_{down}W_{up}$$

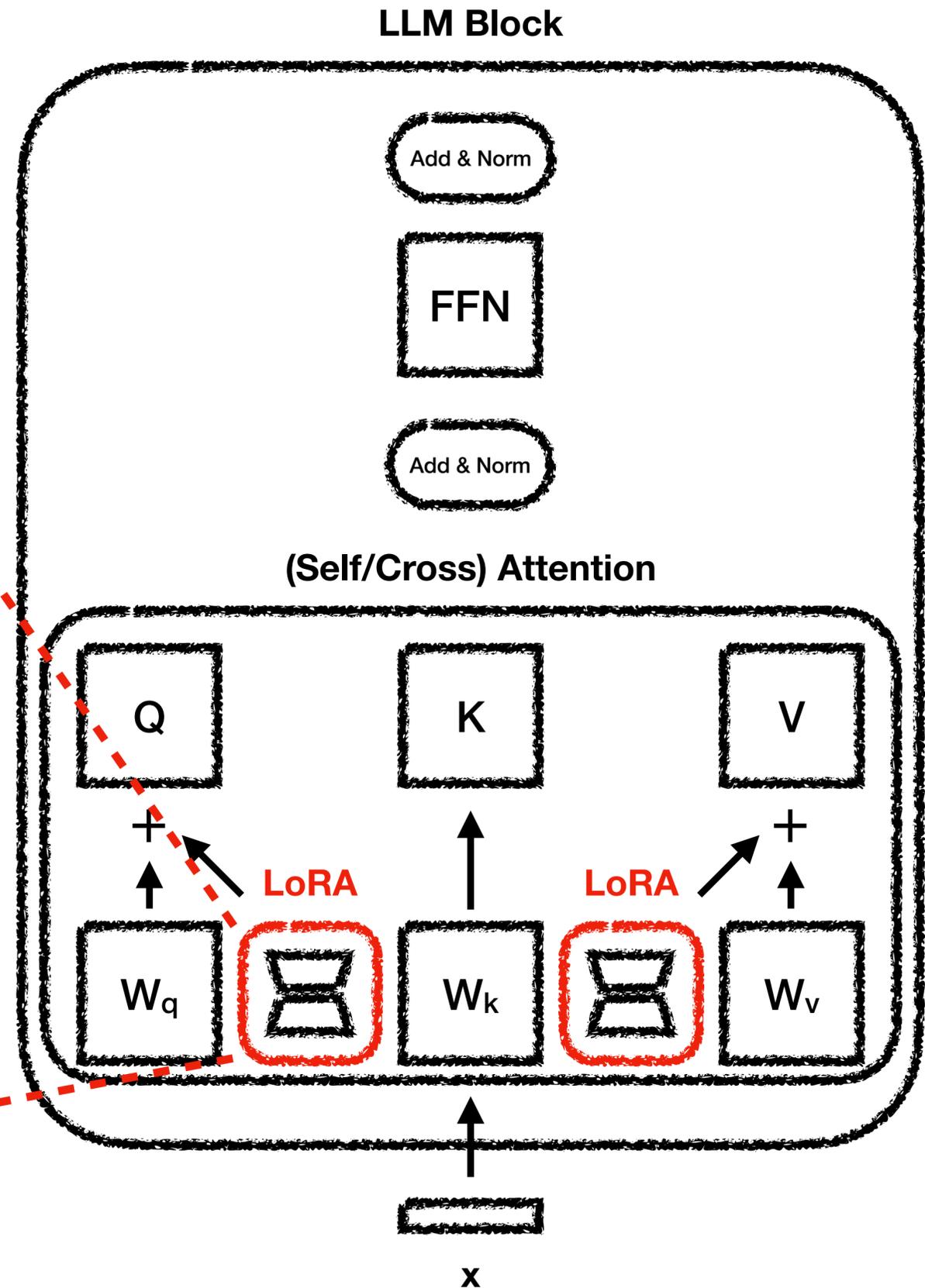
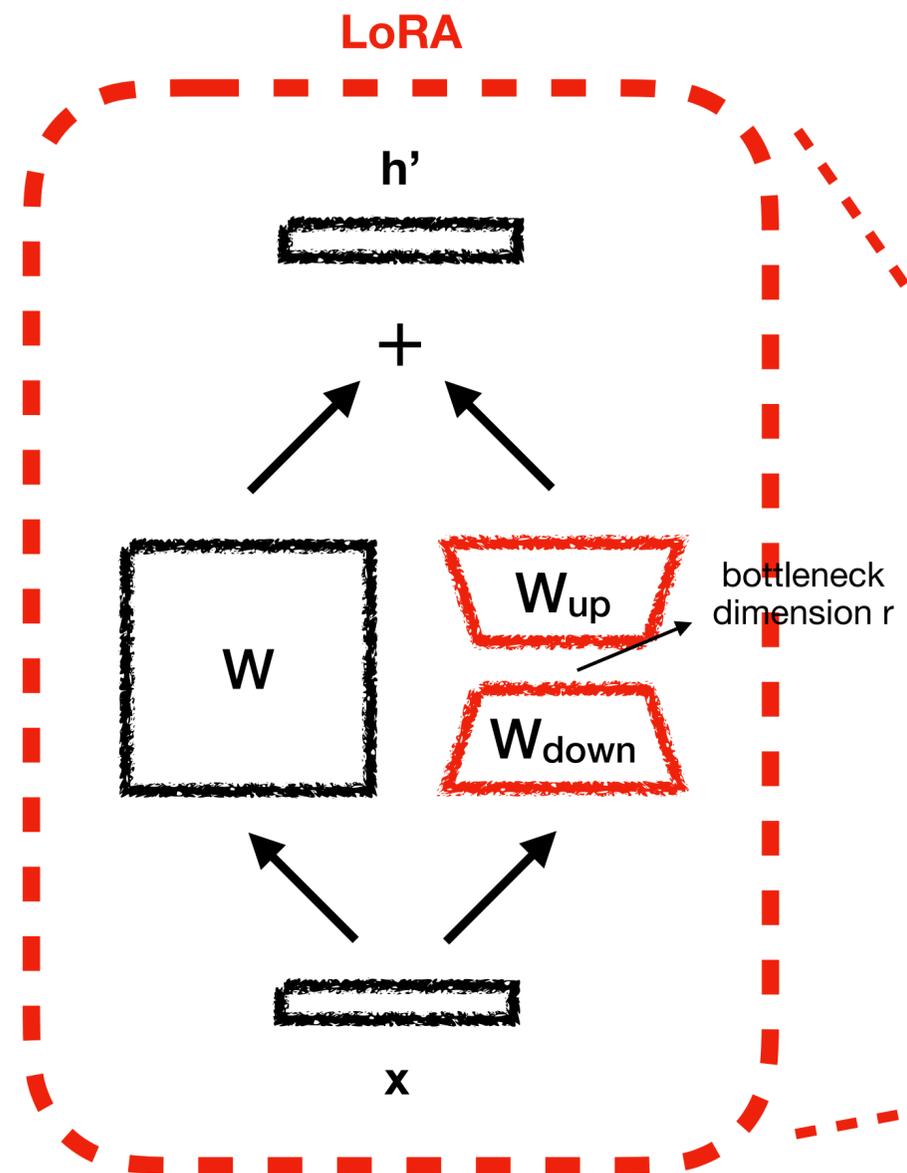
$$x \in \mathbb{R}^{1 \times d}$$

$$h, h' \in \mathbb{R}^{1 \times k}$$

$$W \in \mathbb{R}^{d \times k}$$

$$W_{down} \in \mathbb{R}^{d \times r}$$

$$W_{up} \in \mathbb{R}^{r \times k}$$



# Re-parameterized PEFT

## Low Rank Adaptation (Hu et al., 2021)

$$h \leftarrow xW + \frac{\alpha}{r} \cdot xW_{down}W_{up}$$

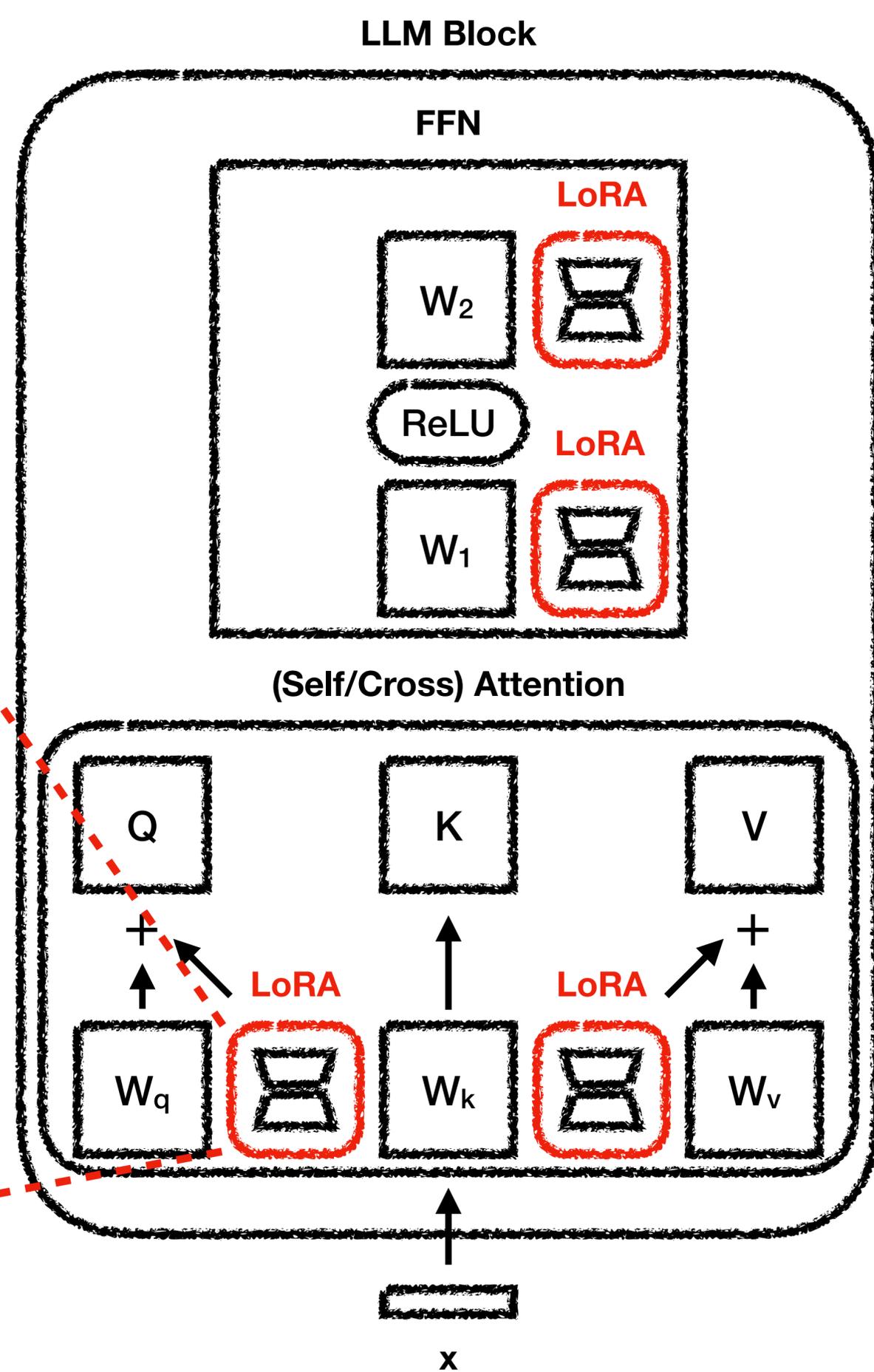
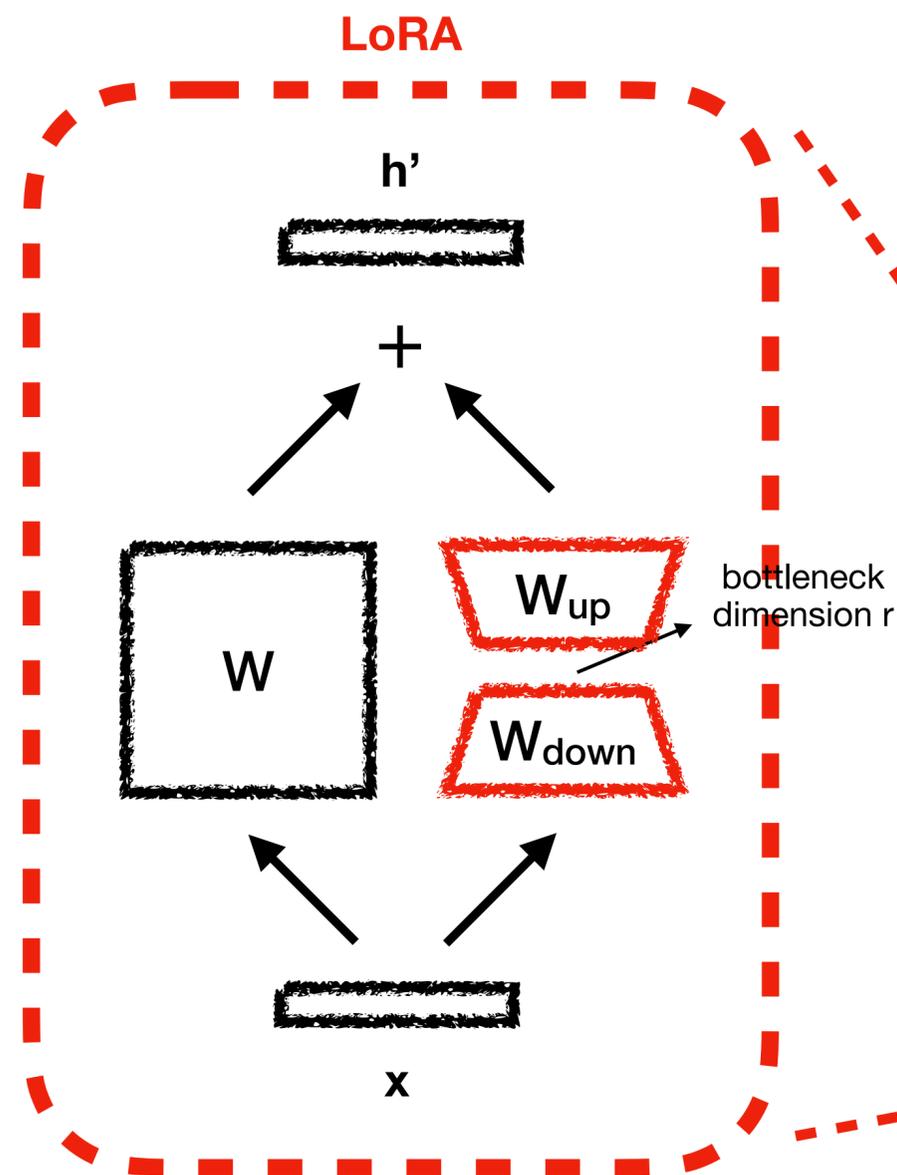
$$x \in \mathbb{R}^{1 \times d}$$

$$h, h' \in \mathbb{R}^{1 \times k}$$

$$W \in \mathbb{R}^{d \times k}$$

$$W_{down} \in \mathbb{R}^{d \times r}$$

$$W_{up} \in \mathbb{R}^{r \times k}$$



# Re-parameterized PEFT

## Low Rank Adaptation (Hu et al., 2021)

$$h \leftarrow xW + \frac{\alpha}{r} \cdot xW_{down}W_{up}$$

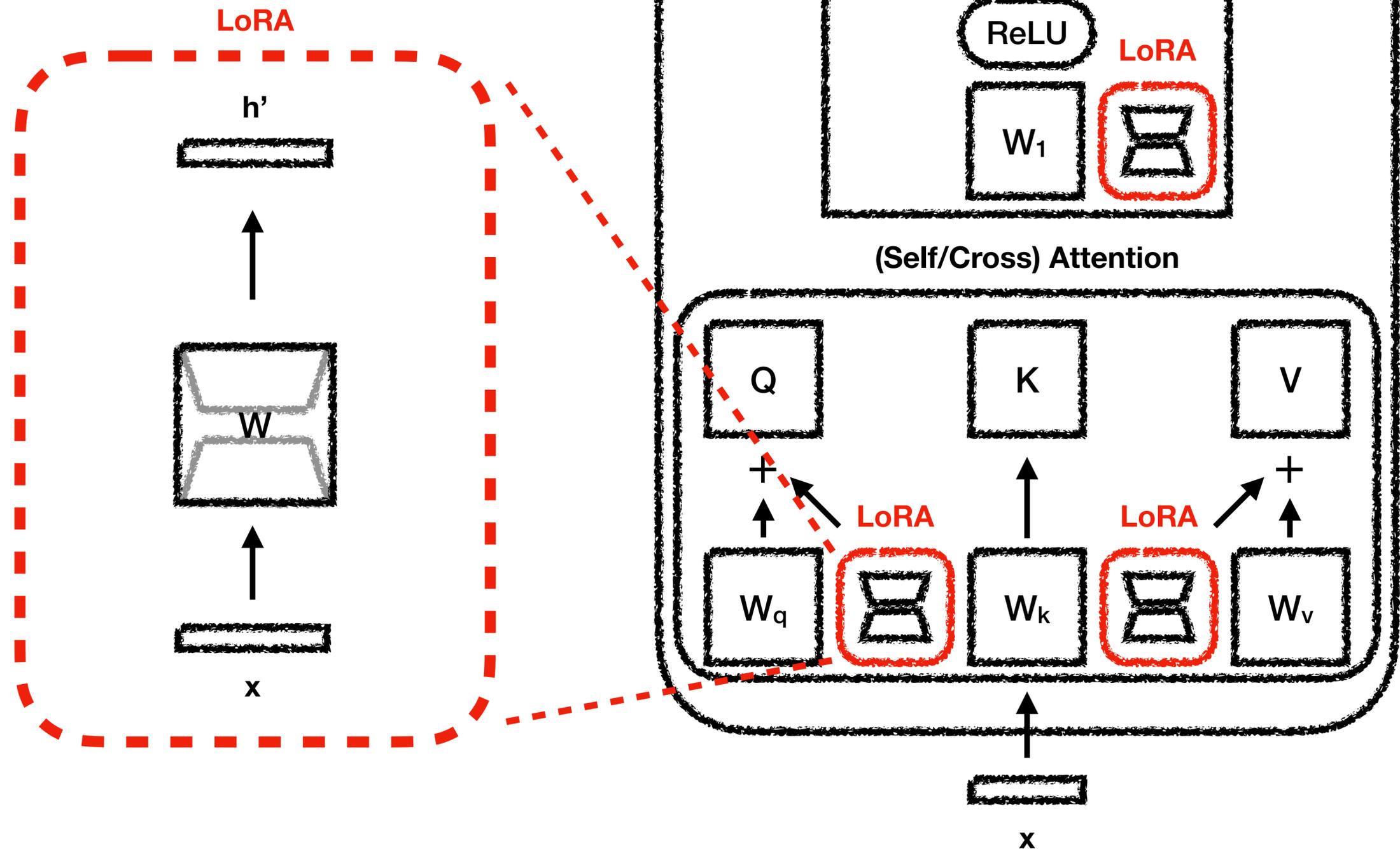
$$x \in \mathbb{R}^{1 \times d}$$

$$h, h' \in \mathbb{R}^{1 \times k}$$

$$W \in \mathbb{R}^{d \times k}$$

$$W_{down} \in \mathbb{R}^{d \times r}$$

$$W_{up} \in \mathbb{R}^{r \times k}$$



# Re-parameterized PEFT

## Low Rank Adaptation (Hu et al., 2021)

$$h \leftarrow xW + \frac{a}{r} \cdot xW_{down}W_{up}$$

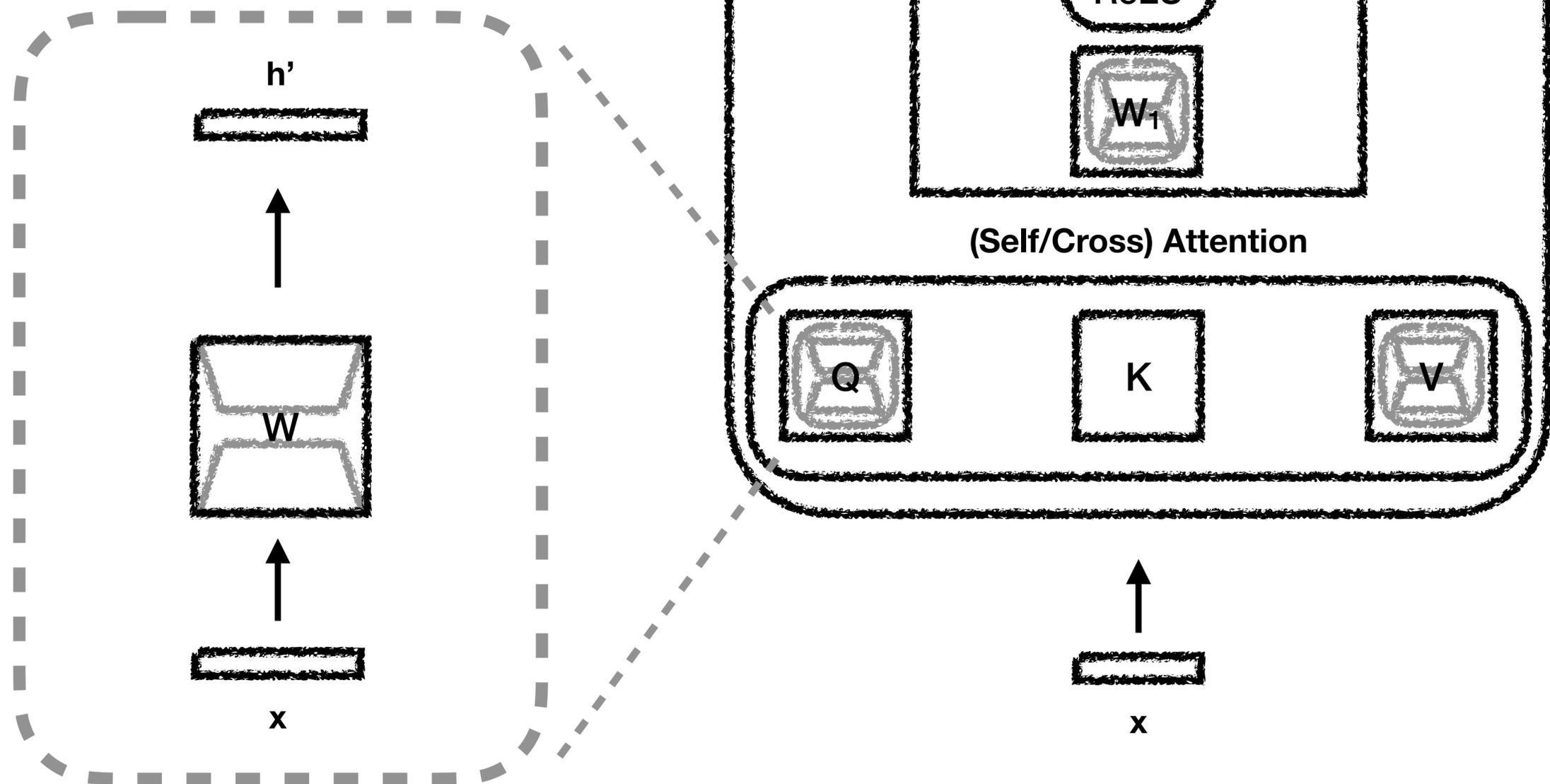
$$x \in \mathbb{R}^{1 \times d}$$

$$h, h' \in \mathbb{R}^{1 \times k}$$

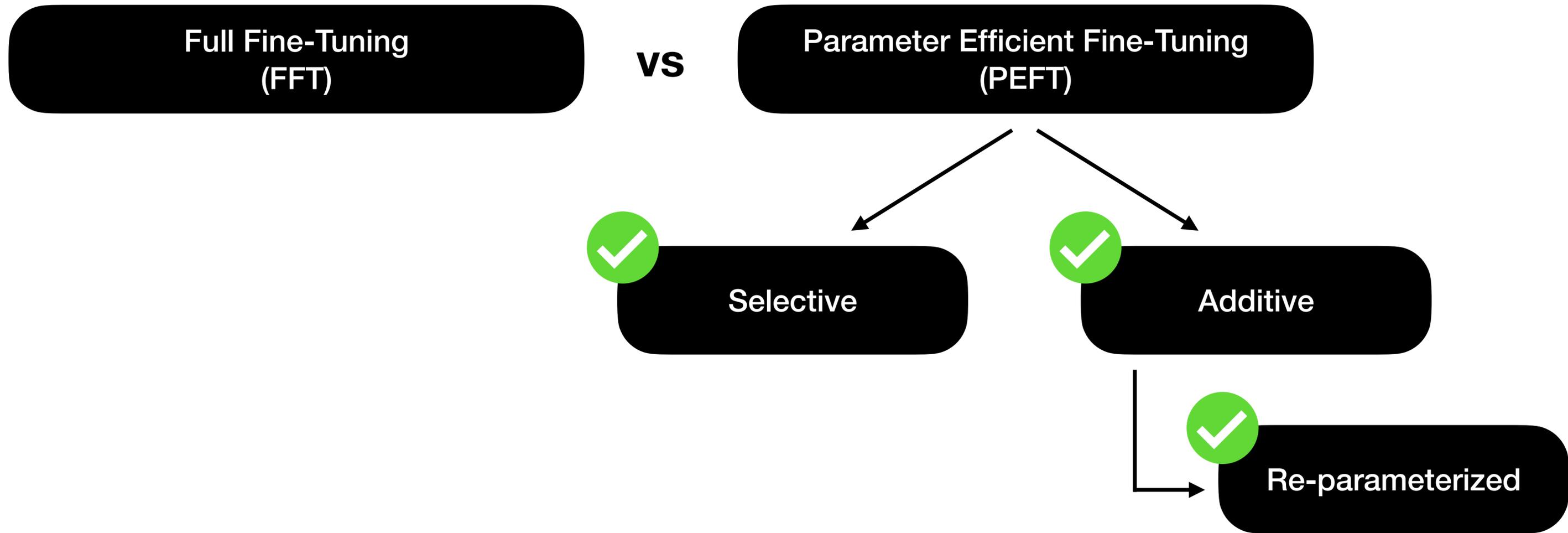
$$W \in \mathbb{R}^{d \times k}$$

$$W_{down} \in \mathbb{R}^{d \times r}$$

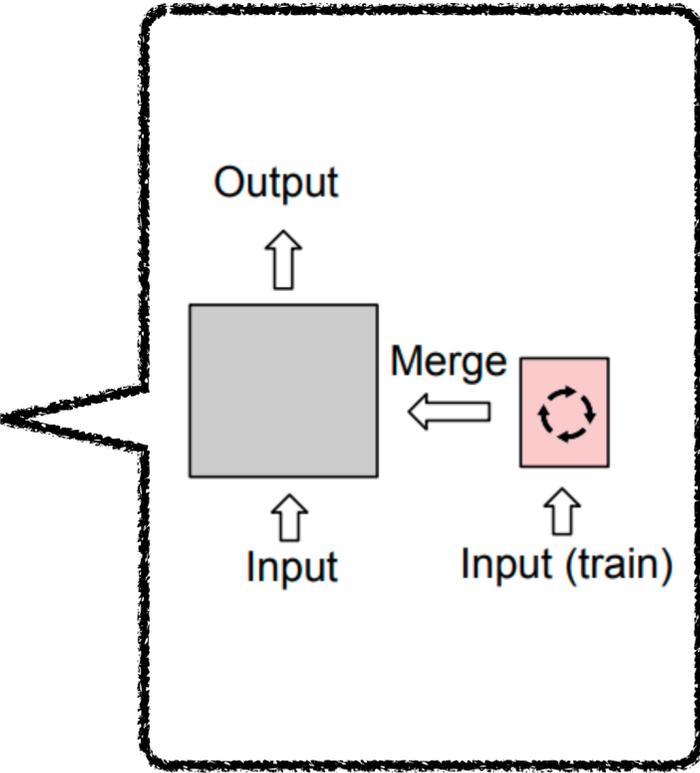
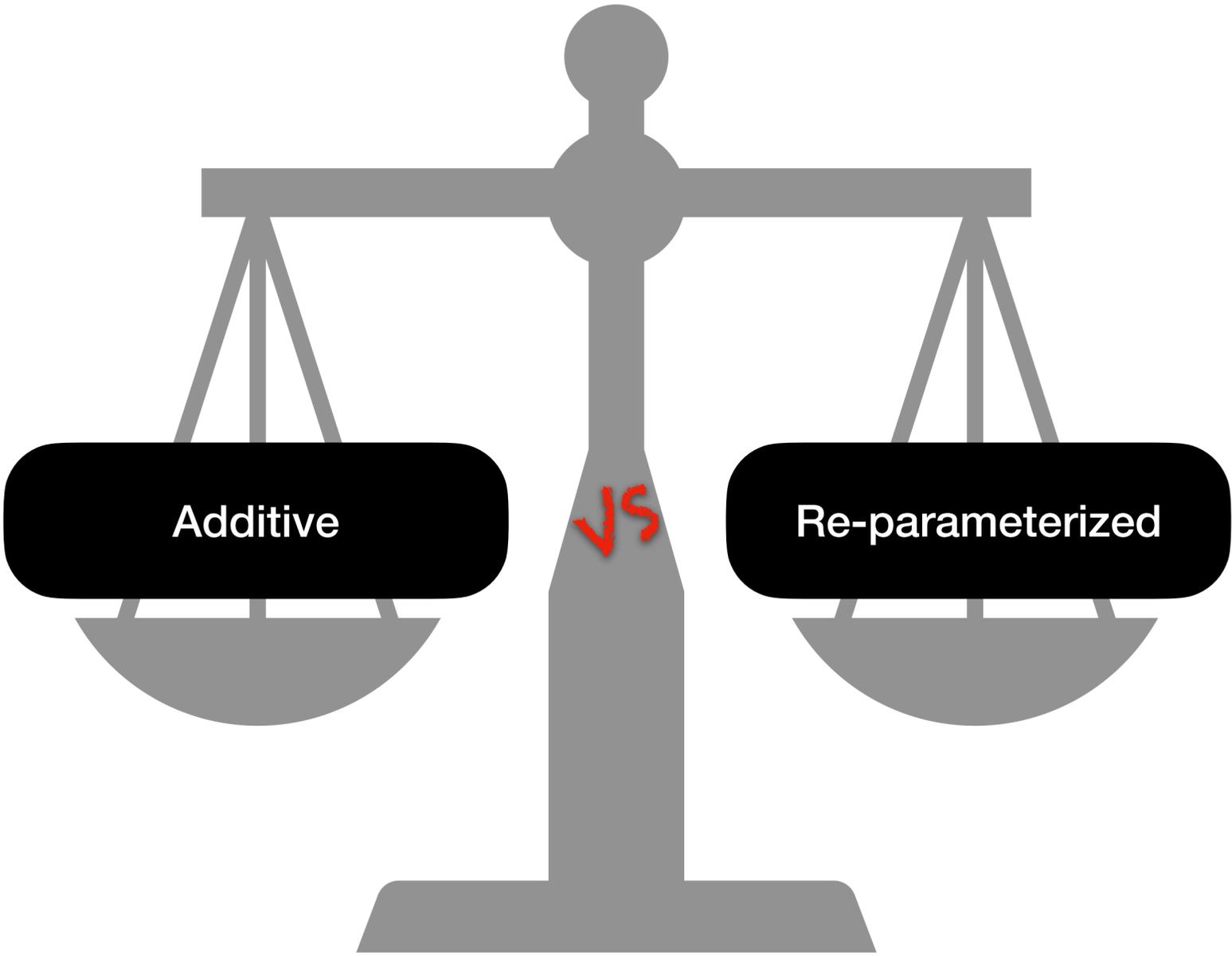
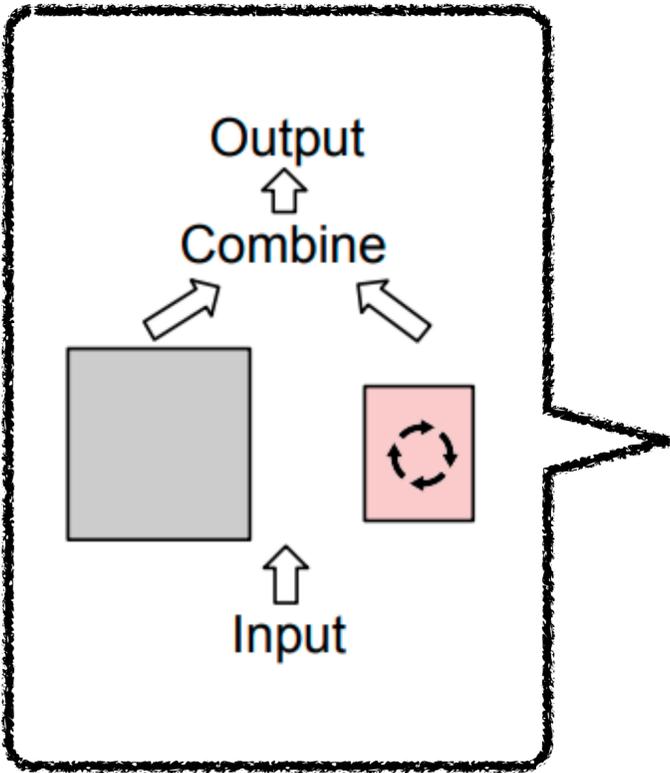
$$W_{up} \in \mathbb{R}^{r \times k}$$



# PEFT Taxonomy



# Which one is better from a systems perspective ?



# PEFT Taxonomy

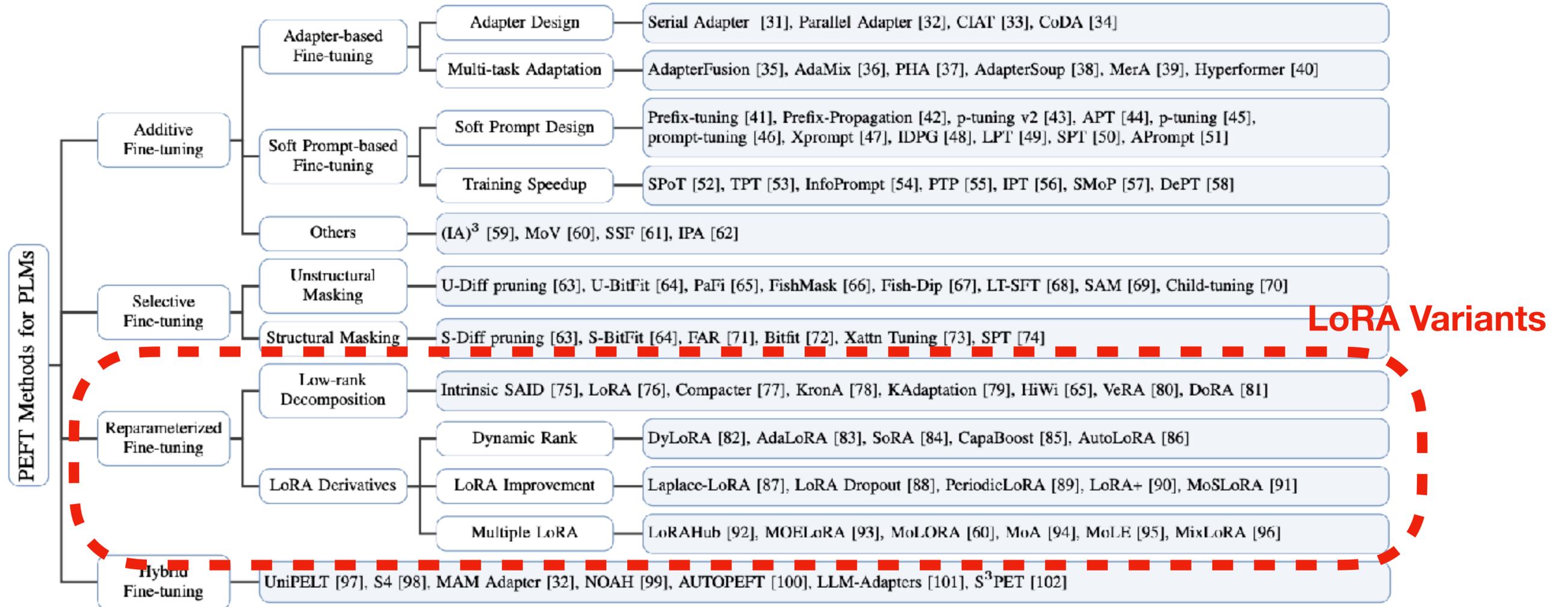


Fig. 3: Taxonomy of Parameter-Efficient Fine-Tuning Methods for Large Models.

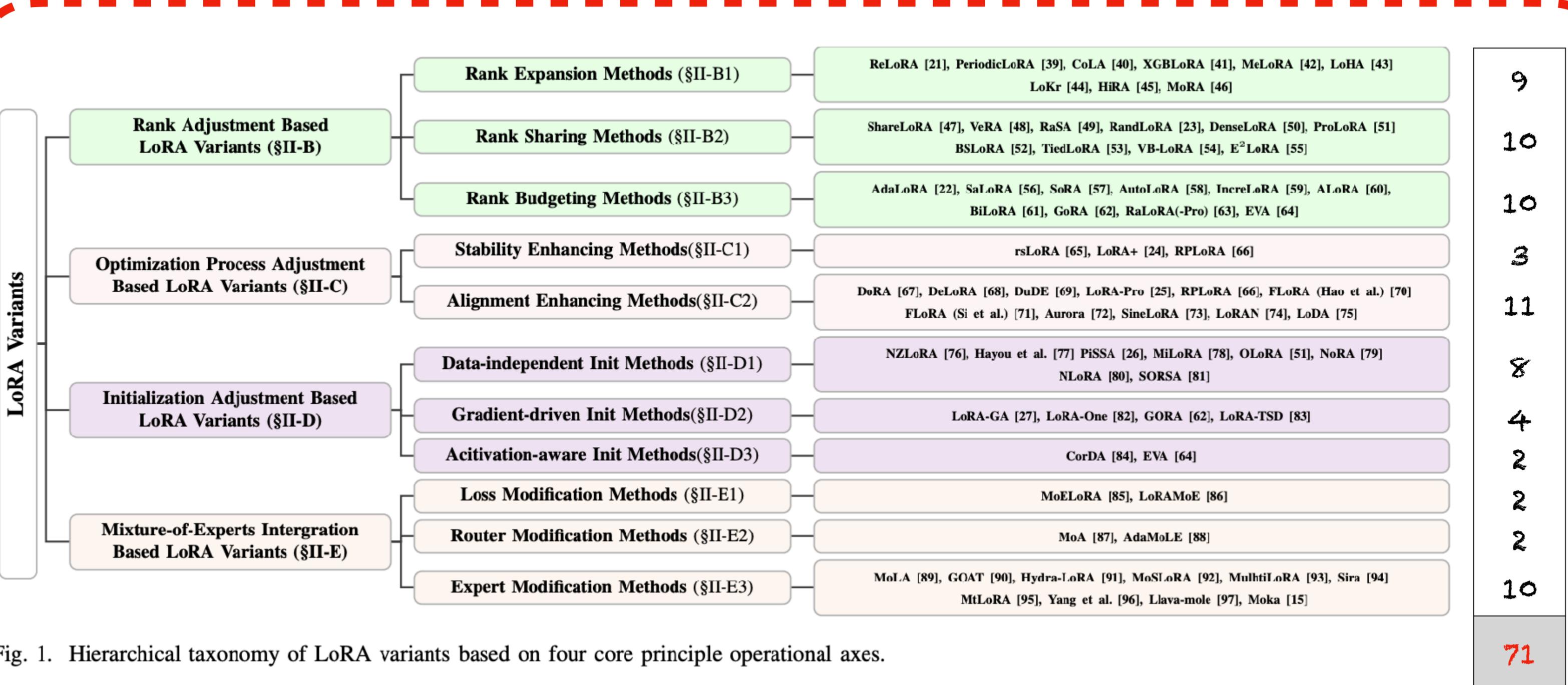


Fig. 1. Hierarchical taxonomy of LoRA variants based on four core principle operational axes.

## 2. Parameter Budget Allocation in Parameter Efficient Fine-Tuning

---

### PROBLEM

Given a fixed parameter budget, how should LoRA adapters be allocated across the layers and modules of an LLM to maximize task performance?

*The design space is combinatorially large — methods distribute them uniformly or dynamically*

# 2. Parameter Budget Allocation in Parameter Efficient Fine-Tuning

Published as a conference paper at ICLR 2021

## MORE OR LESS: WHEN AND HOW TO BUILD CONVOLUTIONAL NEURAL NETWORK ENSEMBLES

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Harvard University  
stratos@scas.harvard.edu

### ABSTRACT

Convolutional neural networks are utilized to solve increasingly more complex problems and with more data. As a result, researchers and practitioners seek to scale the representational power of such models by adding more parameters. However, increasing parameters requires additional critical resources in terms of memory and compute, leading to increased training and inference cost. Thus a consistent challenge is to obtain as high as possible accuracy within a parameter budget. As neural network designers navigate this complex landscape, they are guided by conventional wisdom that is informed from past empirical studies. We identify a critical part of this design space that is not well-understood: How to decide between the alternatives of expanding a single convolutional network model or increasing the number of networks in the form of an ensemble. We study this question in detail across various network architectures and data sets. We build an extensive experimental framework that captures numerous angles of the possible design space in terms of how a new set of parameters can be used in a model. We consider a holistic set of metrics such as training time, inference time, and memory usage. The framework provides a robust assessment by making sure it controls for the number of parameters. Contrary to conventional wisdom, we show that when we perform a holistic and robust assessment, we uncover a wide design space, where ensembles provide better accuracy, train faster, and deploy at speed comparable to single convolutional networks with the same total number of parameters.

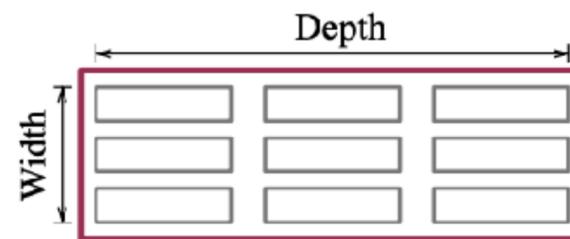
### 1 INTRODUCTION

**Scaling capacity of deep learning models.** Convolutional neural network models are becoming as accurate as humans on perceptual tasks. They are now used in numerous and diverse applications such as drug discovery, data compression, and automating gameplay. These models increasingly grow in size with more parameters and layers, driven by two major trends. First, there is a continuous rise in data complexity and sizes in many applications (Shazeer et al., 2017). Second, there is an increasing need for higher accuracy as models are utilized in more critical applications – such as self-driving cars and medical diagnosis (Grzywaczewski, 2017). This effect is especially pronounced in computer vision and natural language processing: Model sizes are three orders of magnitude larger than they were just three years ago (Sanh et al., 2019).

With bigger model sizes, the time, computation, and memory needed to train and deploy such models also increase. Thus, it is a consistent challenge to design models that maximize accuracy while remaining practical with respect to the resources they need (Lee et al., 2015; Huang et al., 2017b). In this paper, we study the following question: Given a number of parameters (neurons), how to design a convolutional neural network to optimize holistically for accuracy, training cost, and inference cost?

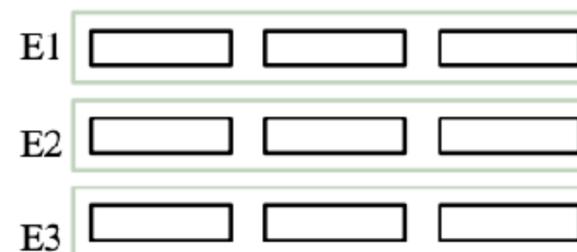
**The holistic design space is very complex.** Designers of convolutional neural network models navigate a complex design landscape to address this question: First, they need to decide on network architecture. Then, they have to consider whether to use a single network or build an ensemble model with multiple networks. Additionally, they have to decide how many neural networks to use and their individual designs, i.e., the depth, width, and number of networks in their model. Modern

Param.:  $|S|$  | Depth:  $d$  | Width:  $w$



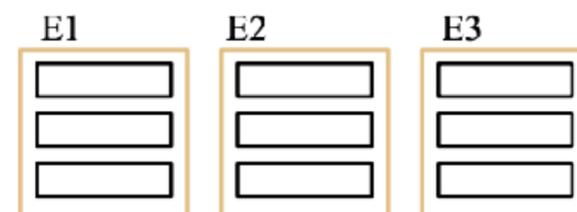
(a) Single network

Param.:  $|S|$  | Depth:  $d$  | Width:  $w'$



(b) Depth-equivalent ensemble

Param.:  $|S|$  | Depth:  $d'$  | Width:  $w$



(c) Width-equivalent ensemble

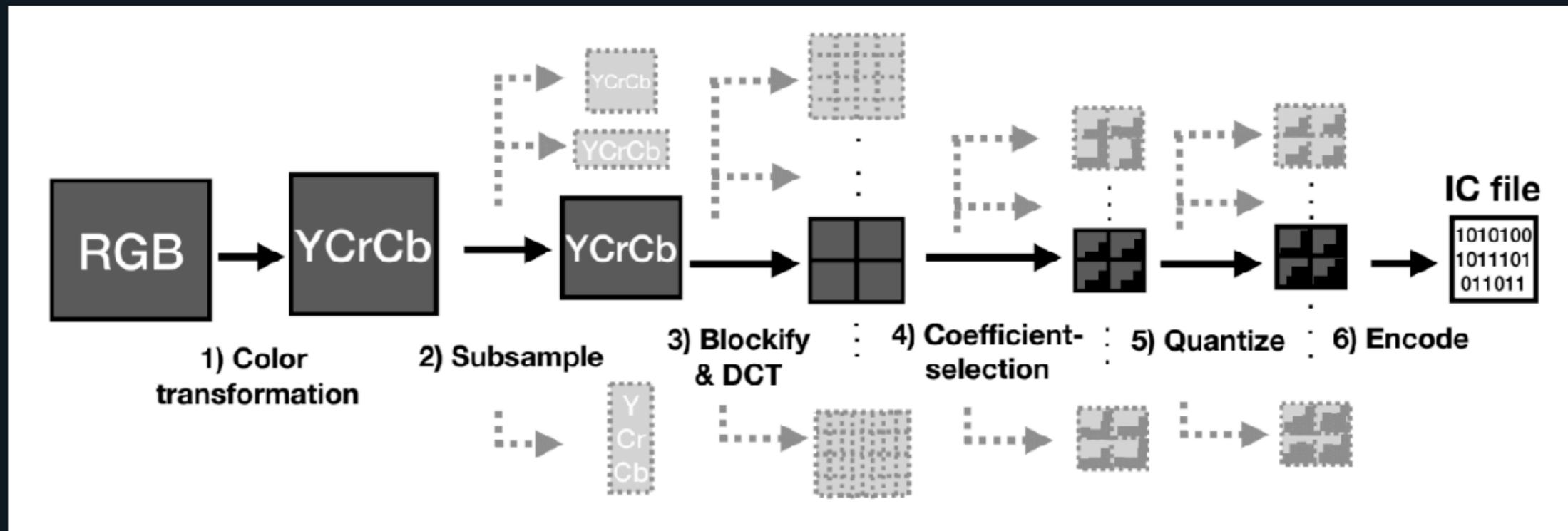
## 2. Parameter Budget Allocation in Parameter Efficient Fine-Tuning

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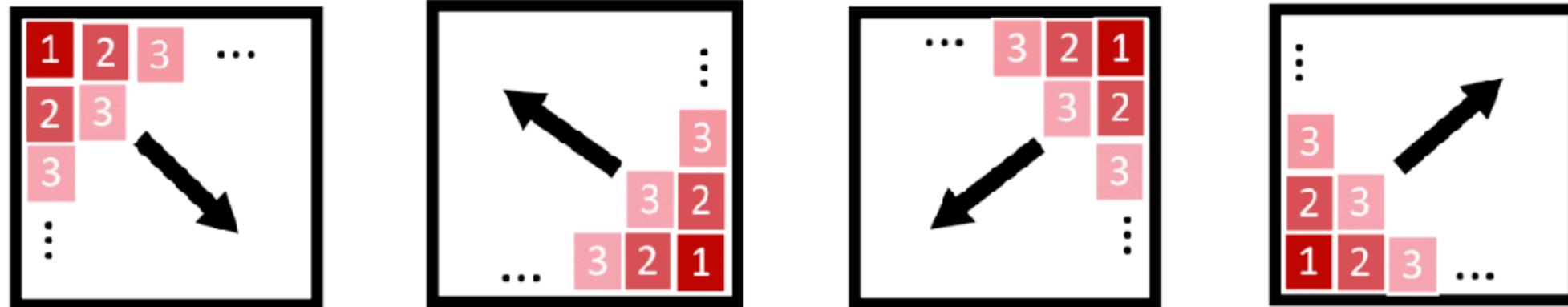
### SOLUTION

Formally define the primitives of the LoRA placement design space and identify good domains to restrict the otherwise infinite design space

*Generalize across models and domains — find simple allocation heuristics*



# Image Calculator Throwback



(a) Strategy 1: Increasing-sized upper-left triangle (b) Strategy 2: Increasing-sized lower-right triangle (c) Strategy 3: Increasing-sized upper-right triangle (d) Strategy 4: Increasing-sized lower-left triangle

**Learning Algorithm**

**Task/  
Dataset**

**LLM  
Fine-Tuning**

**Weight  
Update**

**Architecture**

# LLM Fine-Tuning / Augmentation

*Where to encode new information?*

Context Window

Weights

In Context Learning  
(ICL)

Retrieval  
Augmented  
Generation  
(RAG)

Conversation  
History

Tool  
Outputs & Observations

Learning Algorithm

Task/  
Dataset

Weight  
Update

Architecture